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Characterization of the Boulder  
Front Fault and Uplift Rates in the  
Northern Basin and Range Province,  
Idaho

by

Sedona Boyle

Presented to the Graduate and Research  
Committee of Lehigh University  
in Candidacy for the  
Degree of Master of  
Science

in

Earth and  
Environmental  
Sciences

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Sedona Boyle

Thesis is accepted and approved in partial fulfillment of the requirements for the Master of Science in Earth and Environmental Sciences

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Date Approved: 11/26/2024

List of Committee Members: Dr. David Anastasio, Dr. Frank Pazzaglia, Dr. Claudio Berti

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Table of Contents

Abstract..... 1

1. Introduction..... 2

2. Geologic Setting..... 4

    2.1. Northern Basin and Range Province..... 4

    2.2. Regional Earthquakes..... 5

    2.3. Glaciations..... 6

3. Faulting Analysis Methods and Results..... 7

3.1 Surficial Geologic Mapping..... 7

    3.1.1. Surficial Units..... 8

3.2. Fault Segmentation..... 10

    3.2.1. Radiocarbon Sampling..... 13

3.3. Fault Scarp Diffusion Modeling..... 14

    3.3.1. GNSS Profiling..... 15

    3.3.2. Diffusion Coefficient..... 18

    3.3.3. Single Slip Modeling..... 19

    3.3.4. Continuous Slip Modeling..... 21

    3.3.5. Rupture Age..... 22

    3.3.6. Amount of Slip..... 24

    3.3.7. Slip Rate..... 24

4. Regional Erosion and Uplift Methods and Results ..... 25

    4.1. Field Methods..... 25

    4.2. Lab Analysis..... 28

    4.3. Erosion Rates..... 28

4.4. Catchment-Scale Uplift Modeling .....	30
5. Discussion.....	33
5.1. Fault Characterization.....	33
5.2. Boulder Front Fault Slip Behavior.....	35
5.3 Regional Erosion and Uplift Relationships.....	36
6. Conclusion.....	39
References Cited.....	40
Appendix A. Surficial Geologic Map and Unit Descriptions.....	46
Appendix B. Radiocarbon Data.....	48
Appendix C. Profile Data.....	61
Appendix D. Single Slip Diffusion Model.....	72
Appendix E. Monte Carlo Simulation.....	77
Appendix F. CRONUS-Earth Online Calculator.....	85

## List of Tables

Table 1. Segment Properties of the Boulder Front Fault.....	12
Table 2. Radiocarbon Age Results.....	14
Table 3. Accelerated Mass Spectrometry Results.....	28
Table 4. Regional Catchment Properties.....	29

## List of Figures

Figure 1. Map of Central Idaho and Historical Earthquakes.....	3
Figure 2. Mapped Parts of the Easley Hot Spring and Amber Lakes 7.5' Quadrangles.....	8
Figure 3. Block Diagram of Stratigraphic Units.....	10
Figure 4. Fault Segments and Soil Pit Locations.....	12
Figure 5. Soil Pit Photographs.....	14
Figure 6. GNSS Profiles.....	16
Figure 7. Surficial Geologic Map of the Boulder Creek Segment.....	17
Figure 8. Fault Scarp Degradation.....	20
Figure 9. Multiple Rupture Event Diagram.....	22
Figure 10. BFF Rupture Age Model Results.....	23
Figure 11. BFF Amount of Slip.....	24
Figure 12. BFF Slip Rate.....	25
Figure 13. Regional Catchments and Erosion Rates.....	27
Figure 14. Shaded Relief Map of the Boulder Creek Catchment.....	31
Figure 15. Uplift Rates of Regional Catchments.....	32

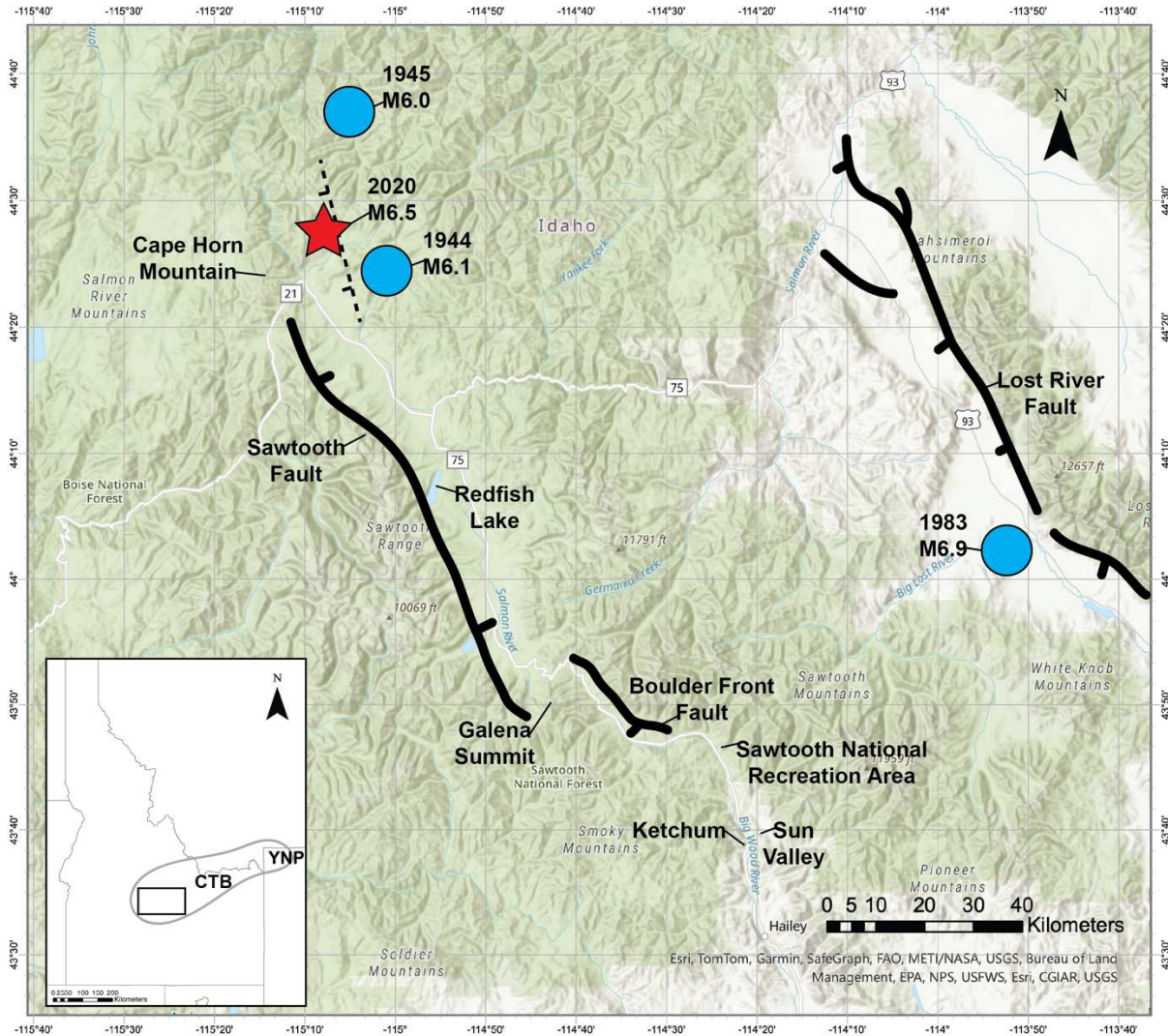
## Abstract

The Northern Basin and Range Province in central Idaho is host to a series of active normal faults including the range-bounding Boulder Front fault along the SW slope of the Boulder Mountains. Situated in the upper Wood River watershed, the SW-dipping Boulder Front fault cuts a series of Pinedale-age moraines and fluvial outwash terraces with clear evidence of surficial rupture. At least 7 distinct fault segments dip ~SW and span more than 20 kilometers from Galena Summit to the SE of Boulder Creek. Evidence of multiple ruptures of the entire segment during the Holocene is observed with inset deposits being less offset than older terraces. Rupture ages were calculated from diffusion modeling of the fault scarp as a single slip rupture event ( $\sim 4.27\text{-}7.08\text{kyr} \pm 0.68\text{kyr}$ ) and a continuous slip event ( $\sim 2.99\text{-}4.96\text{kyr} \pm 0.41\text{kyr}$ ) with additional constraints provided by six radiocarbon dates ( $\sim 1.12\text{-}4.48\text{kyr} \pm 0.06\text{kyr}$ ) in the footwall of offset fluvial terrace deposits. A recent rupture ( $< \sim 2.81\text{kyr} \pm 0.06\text{kyr}$ ) is evident on the Boulder Creek segment while neighboring drainages suggest that other segments of the Boulder Front fault may have ruptured within the last  $\sim 1,100$  years. Calibration of a diffusion coefficient for glacial sediment near Boulder Creek was determined locally to be  $2.09 \times 10^{-3} \text{ m}^2/\text{yr}$ . Recurrence intervals of  $\sim 2.3\text{kyr}$  and earthquakes of M5.7-M6.6 are calculated for the Boulder Front fault based on rupture-length relationships, diffusional modeling, and radiometric dating techniques. Erosion rates calculated from  $^{10}\text{Be}$  analysis and corresponding uplift rates from fluvial inversion modeling for regional catchments reveal that catchments with fault scarps have 3.5-4 times higher uplift rates than catchments with no visible scarps. Physical extension of the fault system may exist to the south towards the tourist destinations of Ketchum and Sun Valley, Idaho, and poses a seismic hazard to infrastructure and local populations.

## 1. Introduction

Faults scarps, visible offsets in the topography of a tectonically altered landscape, serve as geologic markers of historical ground-rupturing earthquakes. The active extension of the crust in the Northern Basin and Range Province is characterized by the development of NW-trending normal faults (Regalla et al., 2007; Anastasio et al., 2010). Normal faults producing earthquakes shallow enough or with high enough magnitudes to rupture the ground surface leave observable fault scarps creating a clear shift between the hanging wall and the footwall of recent faults. The separation between these fault blocks produces the fault scarp, a transient, steep topographic offset showing the expression of the fault plane at the Earth's surface (Stewart & Hancock, 1990). After formation, the slope of the scarp degrades through soil creep and can be modeled by diffusion (Nash, 1986; Matson & Bruhn, 2001). Modeling the post-rupture diffusional history of an older scarp provides insights into previous tectonic activity of the fault and informs seismic hazards.

Prime examples of the NW-trending range-bounding faults making up the Northern Basin and Range are the Quaternary, Class A Sawtooth and Boulder Front faults (Crone et al., 2010; Crone & Neier, 2010). The Boulder Front fault, bounding the Boulder Mountains to the south in the upper Wood River Valley, extends along strike from the ~60 km long Sawtooth fault to its NW (Figure 1; Thackray, 2013, Lifton et al., 2023). No surface linkage between these two faults has been observed in the field however, a polarity change is apparent across the valley between the NE-dipping Sawtooth fault to the SW-dipping Boulder Front fault. A possible seismogenic linkage zone exists between the two active faults near the accommodation zone of Galena Summit based on the accommodation of extension (Di Bucci et al., 2006; Liberty et al., 2021).



**Figure 1.** Map of central Idaho showing Quaternary, Class A faults from the USGS and significant historical earthquakes of M6.0 or greater. The red star denotes the M6.5 Stanley earthquake. The blue dots are the M6.0 and M6.1 Seafoam earthquakes and the M6.9 Borah Peak earthquake.

This thesis presents a newly interpreted surficial geologic map, results from fault scarp diffusion modeling, and radiometric dating to analyze the two most recent ruptures (Holocene and late Pleistocene), and extent of the Boulder Front fault. In addition, regional  $^{10}\text{Be}$  terrestrial cosmogenic nuclide (TCN) data are used to model basin-averaged erosion rates that are subsequently used to invert the fluvial topography of the catchments and reconstruct the pre-late Pleistocene base-level fall history (Fisher et al., 2022).

Previous studies have reported the Boulder Front fault length to be 9 km but based on a Light Detecting and Ranging (LiDAR) digital elevation model (DEM) interpretation and small-scale field mapping, the Boulder Front fault is expressed at the surface by 7 distinct segments from Galena Summit towards just east of Boulder Creek, spanning over 20 km along strike (Crone & Neir, 2010; Boyle et al., 2023). Bare earth processing of the LiDAR data eliminates dense vegetation from imagery allowing fault scarps to be mapped in hard-to-access regions in this part of the Sawtooth National Forest. These fault segments are defined by their physical characteristics, geographic extent, and strike orientations with the longest fault segment, near Boulder Creek, measuring 2.2 km.

The Boulder Front fault is adjacent to the Sawtooth National Recreation Area and close to several renowned tourist venues in Idaho, creating a potential seismic hazard to the region. The  $M_w$ 6.9 Borah Peak earthquake resulted in millions of dollars in property damage and two deaths as a result of infrastructure failing to withstand the earthquake's effects (Idaho Office of Emergency Management, 2019; Liberty et al., 2021). The Boulder Front fault poses a proximal threat to the towns of Ketchum and Sun Valley, Idaho, located less than 20 km SE of the fault (Figure 1). Residential homes and private businesses located at the foothills of these mountainous regions are susceptible to damage from ground shaking and landslides. Determination of the rupture history of faults in the Northern Basin and Range Province is essential to informing local populations on seismic hazards.

## **2. Geologic Setting**

### *2.1. Northern Basin and Range Province*

The inland western United States is primarily located in the “classic” Basin and Range Province which extends from southern Idaho to the southern parts of Arizona and New Mexico

(Osborn, 2024). Extension of the traditional system exists to the north in east and central Idaho and southwestern Montana, as well as to the south through parts of Mexico (Osborn, 2024). The Snake River Plain isolates the northern section from the rest of the geological province to the south (Gans & Bohrsen, 1998; Newmann, 2019). The crustal extension in the Northern Basin and Range drives constant change of the landscape leading to the formation of subparallel mountain ranges and valleys (Stickney & Bartholomew, 1987; Osborn, 2024). A goal of this thesis is to better understand the role fault systems play in the uplift of mountain ranges in this area of active mantle upwelling (Liu & Shen, 1998). Basin and Range extension occurs at  $S45^{\circ}W \pm 15^{\circ}$  and therefore faults are oriented perpendicular to the direction of highest strain at  $N45^{\circ}W \pm 15^{\circ}$  (Stickney & Bartholomew, 1987).

The Sawtooth and Boulder Front faults fall within the western edge of the Centennial Tectonic Belt, an area of high seismicity in the western United States extending about 350 km long and 50-100 km wide in a zone parallel to the northern extent of the Snake River Plain from central Idaho to Yellowstone National Park (YNP) (Stickney & Bartholomew, 1987; Stickney 1993). Although YNP is associated with highly active volcanism, seismic refraction studies show the crust in the Centennial Tectonic Belt to be unaltered by the hotspot activity (Payne et al., 2013). The Centennial Tectonic Belt includes the Lost River Range and seismicity in both the Sawtooth Valley and upper Wood River Valley (Stickney & Bartholomew, 1987).

## *2.2. Regional Earthquakes*

Surrounding regions of the Boulder Front fault segments have experienced four moderate to large earthquakes over the past 80 years (Figure 1). These seismic events are the 1944 M6.1 and 1945 M6.0 Seafoam earthquakes and the 1983  $M_w$ 6.9 Borah Peak earthquake, along with the most recent 2020 M6.5 Stanley earthquake, which occurred just north of the northern termination

of the Sawtooth fault scarp (Liberty et al., 2021). Ruptures in the ground surface were only observed in the eastern Lost River Valley following the Borah Peak earthquake, about 65 km to the NW of the Boulder Front fault. Previous studies reported that earthquakes of less than M6.0 would produce poor surface expression and inconsistencies if rupturing the ground surface of the Northern Basin and Range Province (Wells & Coppersmith, 1994). There is no reported ground rupture associated with the M6.5 Stanley earthquake, although regional ground displacement was imaged through InSAR analysis (Liberty et al., 2021)

### 2.3. *Glaciations*

Two major glaciations are apparent in the central Idaho landscapes. There is the Bull Lake glaciation that took place ~140 kyr and is defined by older, weathered moraines with wider ridges (Pierce, 2003). The most recent Pinedale glaciation peaked ~16 kyr ago and its moraines are less weathered and have taller and sharper ridges (Williams, 1961; Easterbrook et al., 2011).

Comprehensive glaciation studies were conducted ~50 km northwest of the Boulder Front fault at Redfish Lake (Figure 1). Although the studies were set north of Galena Summit in the Sawtooth Valley, moraines of similar morphology are seen in the upper Wood River Valley near the Boulder Front fault. Exposed scarps from late Pleistocene glacial deposits demonstrate offset in the lateral moraines of Boulder Creek due to seismic activity in the late Quaternary (<~15.76kyr) (Crone & Neier, 2010; Easterbrook et al., 2011). The physical offset and ages of these glacial landforms will be used to determine the rupture age and slip rate history of the Boulder Front fault. Additionally, glaciations shaped the landscape where several fault segments are located and may affect long-term erosion and uplift rates in regional catchments.

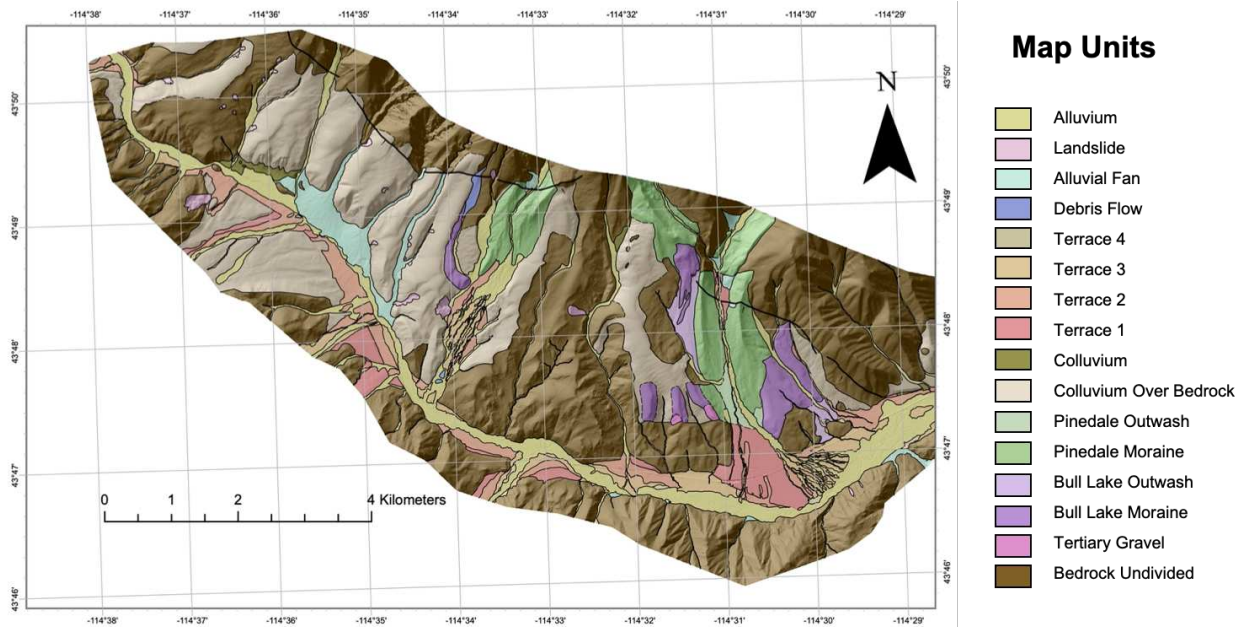
### **3. Faulting Analysis Methods and Results**

The objective of the first part of the study is to present the characterization of the Boulder Front fault in terms of segments, rupture history, vertical offset, and slip rate. Through digital elevation model interpretation, radiocarbon dating, and diffusion modeling, the late Quaternary tectonic activity of this understudied fault is examined. Recurrence intervals and seismic hazards are then estimated for the Boulder Creek segment and the entire Boulder Front fault.

#### *3.1. Surficial Geologic Mapping*

During two field seasons in 2023 and 2024, a map of the surficial geology and Boulder Front fault was completed for parts of the Easley Hot Springs and Amber Lakes 7.5' quadrangles in central Idaho at a 1:12,000 scale (Figure 2 & Appendix A). Previous small-scale lithologic maps have been made for the area, however, there is no current map of the surficial geology. Mapping involved a combination of the surficial geology, lithology, and structural features, and was used to determine the relative stratigraphy of the surficial deposits.

Prior to fieldwork, a DEM was derived through bare earth processing of a LiDAR dataset (Idaho Lidar Consortium, 2021; IGS, personal communication, 2022). This processed model for initial interpretation of the field area was used to create a preliminary surficial geologic map of the Boulder Creek area and to determine the extent of the fault segments across the southern face of the Boulder Mountains. Topographic base maps with a contour interval of 10 m were made using the DEM for referencing during fieldwork. A compilation of the field mapping notes, acquired field data, and remote interpretation of DEM's was created in ArcGIS Pro 3.2.0 at a 1:24,000 scale (Appendix A).



**Figure 2.** Mapped area of parts of Easley Hot Springs and Amber Lakes 7.5' quadrangles. Full 1:24,000 scale map and description in Appendix A.

### 3.1.1. *Surficial Units*

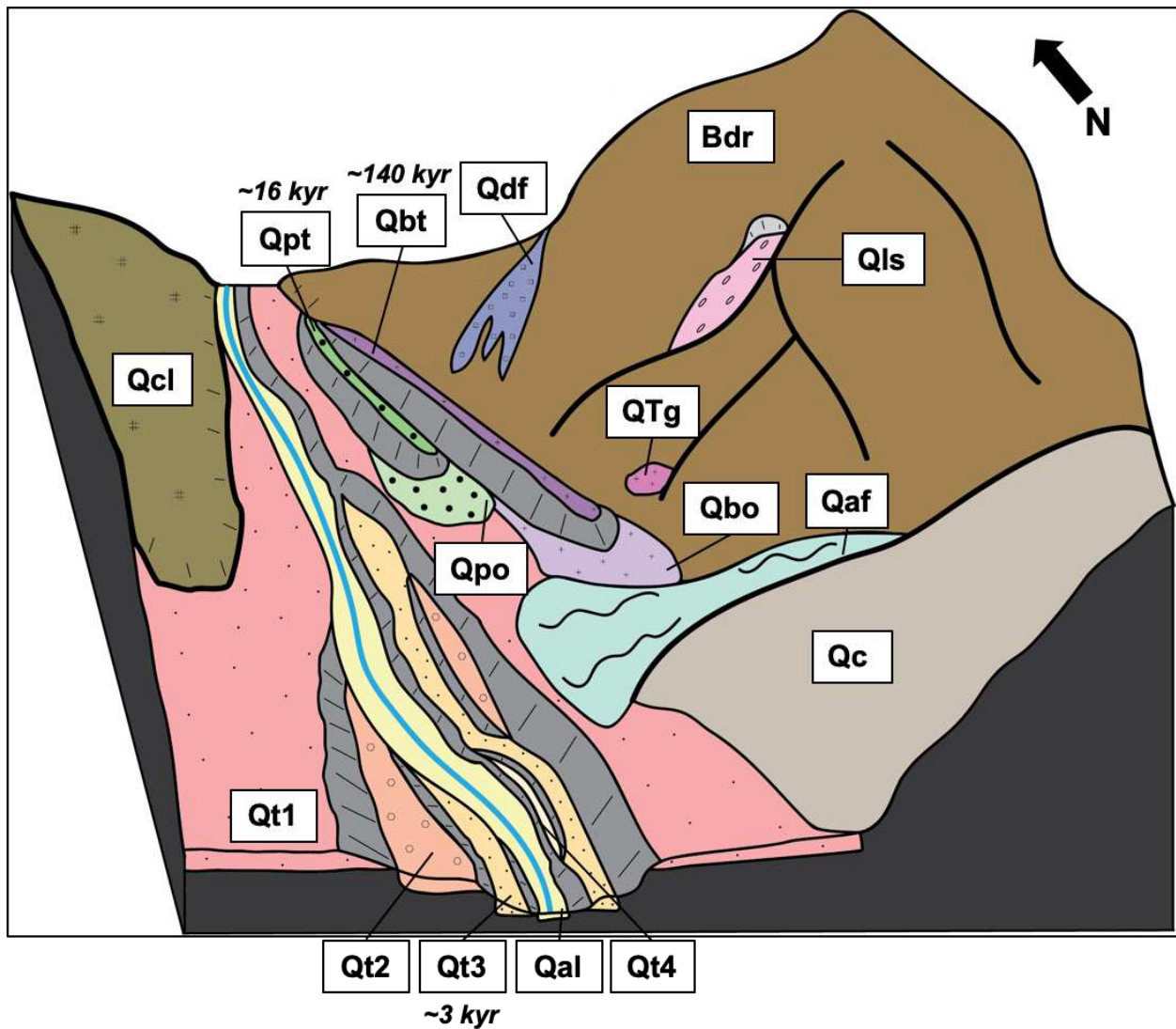
In the mapped area of the Easley Hot Springs and Amber Lakes 7.5' quadrangles, 16 different surficial units were observed (Figure 2; Figure 3). The morpho-stratigraphic relationships of the surficial geology were assembled from field notes, radiocarbon dating, and regional studies (Figure 3).

Among the alluvial deposits in the map area are the alluvium (Qal), found in stream channels, alluvial fans (Qaf), landslides (Qls), and debris flows (Qdf). There is colluvium (Qcl) from hillslopes and another unit, Qc, where a known bedrock ridge exists, but it is covered in a thin layer of colluvium so there are no visible bedrock outcrops. QTg, a gravel deposit overlying several bedrock ridges has an unknown depositional history.

Four inset terrace deposits (Qt1-Qt4) are found alongside stream channels. Most of the creeks in the mapped area only show evidence for the older three fluvial terraces. The only known terrace age from radiocarbon dating is Qt3 (~3 kyr) (Boyle et al., 2023). Parallel to many

of these terraces are glacial deposits showing clear distinctions between the two major glaciations. Lateral and recessional moraines with scattered boulders up to 1.5 m in diameter are associated with younger (~16 kyr) Pinedale moraines (Qpt). Subdued moraines with few boulders reaching 1m in diameter are associated with older (~140 kyr) Bull Lake moraines (Qbt). Reworked Pinedale outwash (Qpo) and Bull Lake outwash (Qbo) are found towards the valley, in front of their respective moraines.

Three main lithologic units underlie the mapped area of the upper Wood River Valley. The Eocene Challis Volcanic Group includes dacite, andesite, and rhyolite tuffs, and the Eocene Challis intrusive rocks are defined by granodiorite and quartz monzonite (Lewis et al., 2012). There is also the Permian and Pennsylvanian sedimentary lithologies of the Wood River Formation, consisting of mostly siliciclastic rocks (Link et al., 1995; Lewis et al., 2012). For purposes of the surficial map, these three bedrock formations have been combined into one undivided bedrock unit on the map.

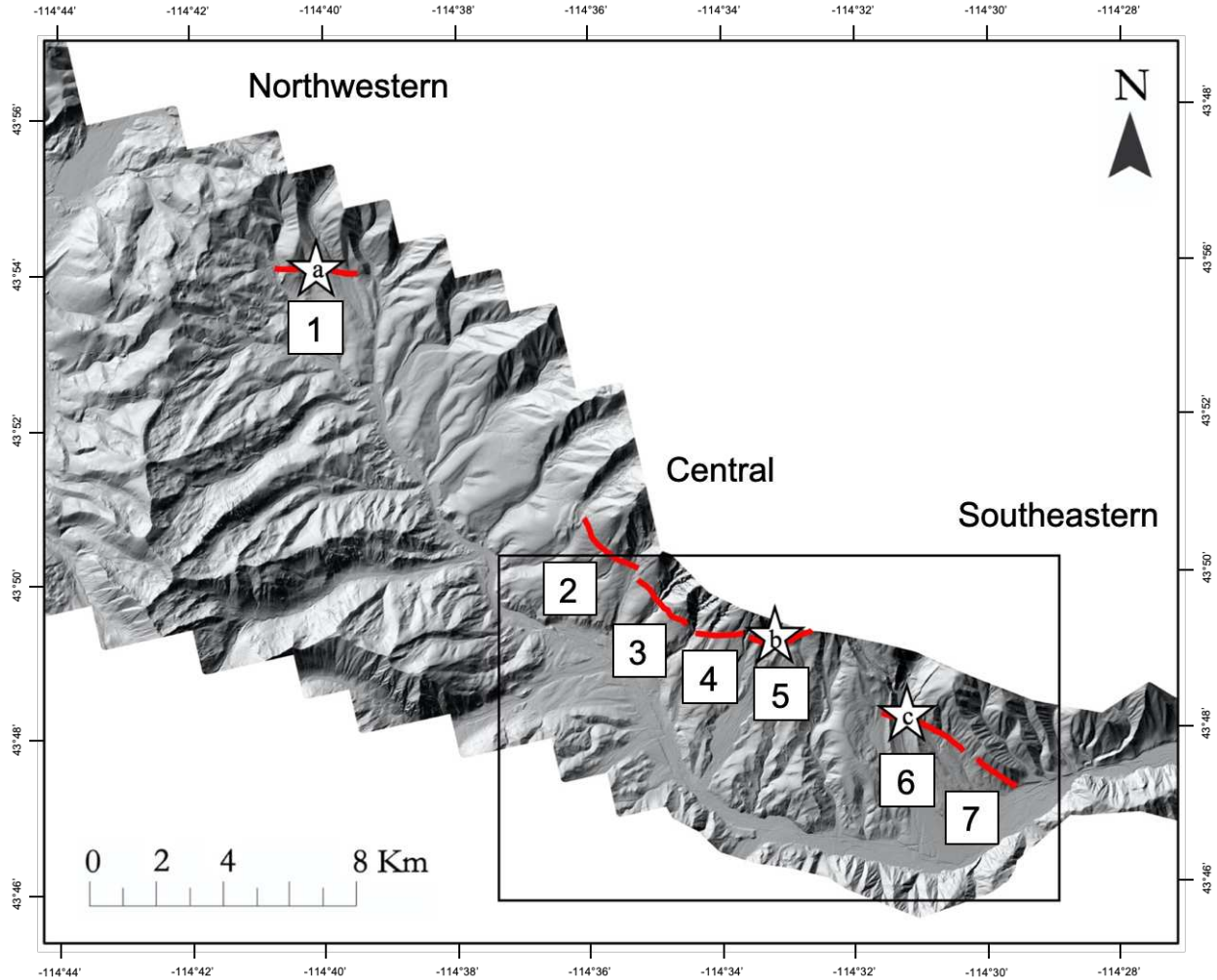


**Figure 3.** Block diagram of the stratigraphic relationship between surficial units in the Easley Hot Springs and Amber Lakes 7.5' Quadrangles with approximate landform ages. Descriptions of each unit are provided in Appendix A.

### 3.2. Fault Segmentation

Seven distinct segments forming three fault sections spanning over 20 km along strike are observable along the mountain front either in the field or on LiDAR with the likelihood that individual surface fault segments may link at depth (Figure 4). These are apparent segments based on visible breaks in their surface expression. Notably, segments 1 and 2 are separated by a 7.5 km-long reach of no visible scarps. In most segments, the fault scarp is cutting through both

bedrock and alluvial surficial deposits. Segment 5 and segment 6, the longest segment that includes Boulder Creek, also cut through glacial deposits in their respective drainages. Segments 2-5 are close in proximity to one another in the central mapping area with less than ~300 m separating their visible scarps. A distance of 2.3 km separates segments 5 and 6. At the eastern end of the fault, segments 6 and 7 are located relatively close to one another (~170m). The fault dips mainly towards the SW, with sections of some segments dipping to the SE and the segment near Galena Summit, dipping south (Table 1). Also accompanying these divisions are notable changes in the strike orientation. Segment 1 has a western strike orientation. Segments 2-5 produce a concave curve around the range front shifting strike direction from NW to NE. Segments 6 and 7 have a NW strike orientation and are situated much closer to the valley floor.



**Figure 4.** Regional LiDAR image of the 7 Boulder Front Fault segments with soil pit locations where radiocarbon samples were collected. Fault sections (Northwestern, Central and Southeastern) are shown. The black box marks the mapped area (Idaho LiDAR Consortium, 2021).

**Table 1.** Segment Properties of the Boulder Front Fault

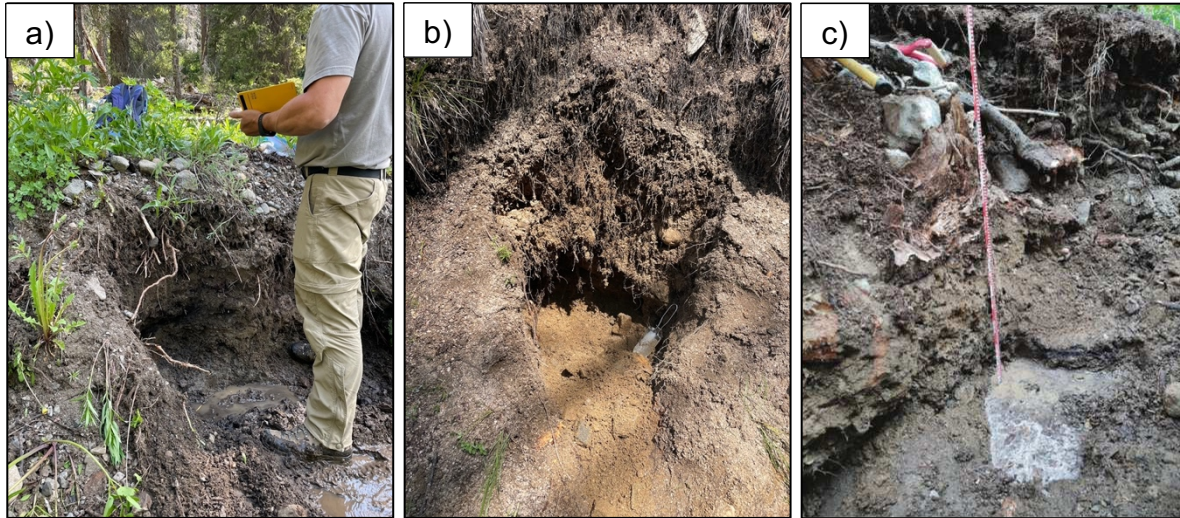
Segment	Length (m)	Strike Orientation Range	Gap Between Previous NW Segment (m) Surface Expression
Segment 1 (Horse Creek)	1949	241°-305°	N/A
Segment 2	1079	298°-346°	7565
Segment 3	1424	301°-339°	198
Segment 4	1009	261°-289°	302

Segment 5 (Silver Creek)	1346	220°-308°	110
Segment 6 (Boulder Creek)	2227	258°-340°	2337
Segment 7	1063	283°-342°	173

3.2.1. Radiocarbon Sampling

During the 2023 and 2024 field seasons, six radiocarbon samples were collected from hand dug soil pits, 50 cm-130 cm deep, in deposits cut by the fault in three separate drainages (Figure 4). Samples a1, a2 and a3 were collected at segment 1 (Horse Creek), closest to Galena Summit at the western end of the interpreted fault and sample b was collected at the adjacent segment to the NW of Boulder Creek, segment 5 (Silver Creek) (Figure 4; Figure 5). Sample c1 and c2, were collected in 2021 near Boulder Creek at segment 6 (Figure 4; Figure 5).

Radiocarbon analysis was conducted at Beta Analytic Testing Laboratory in Miami, Florida to calculate ages and associated errors (Table 2; Appendix B). The radiocarbon samples were all deposited in the youngest footwall block prior to the surface being cut by the fault and were used to determine the maximum age of the most recent rupture at each of the segments. The results of samples a1-a3, on the most western segment of fault, ranged from ~1,100-4,500yr. Sample b yielded results of ~2,200yr. Sample c1 and c2 by Boulder Creek, the main study area, were ~2,800-3,400yr. The multiple samples at sites a and c were in correct stratigraphic order so the younger age represents the maximum rupture timing.



**Figure 5.** Field photographs of the soil pits where charcoal was collected. Samples were found in the youngest deposit offset by the fault near a) Horse Creek, b) Silver Creek and c) Boulder Creek.

**Table 2.** Radiocarbon Age Results (Appendix B)

Location	Radiocarbon Age
a1) Horse Creek	1117±63yr
a2) Horse Creek	4475±58yr
a3) Horse Creek	1117±63yr
b) Silver Creek	2206±107yr
c1) Boulder Creek	2813±55yr
c2) Boulder Creek	3410±46yr

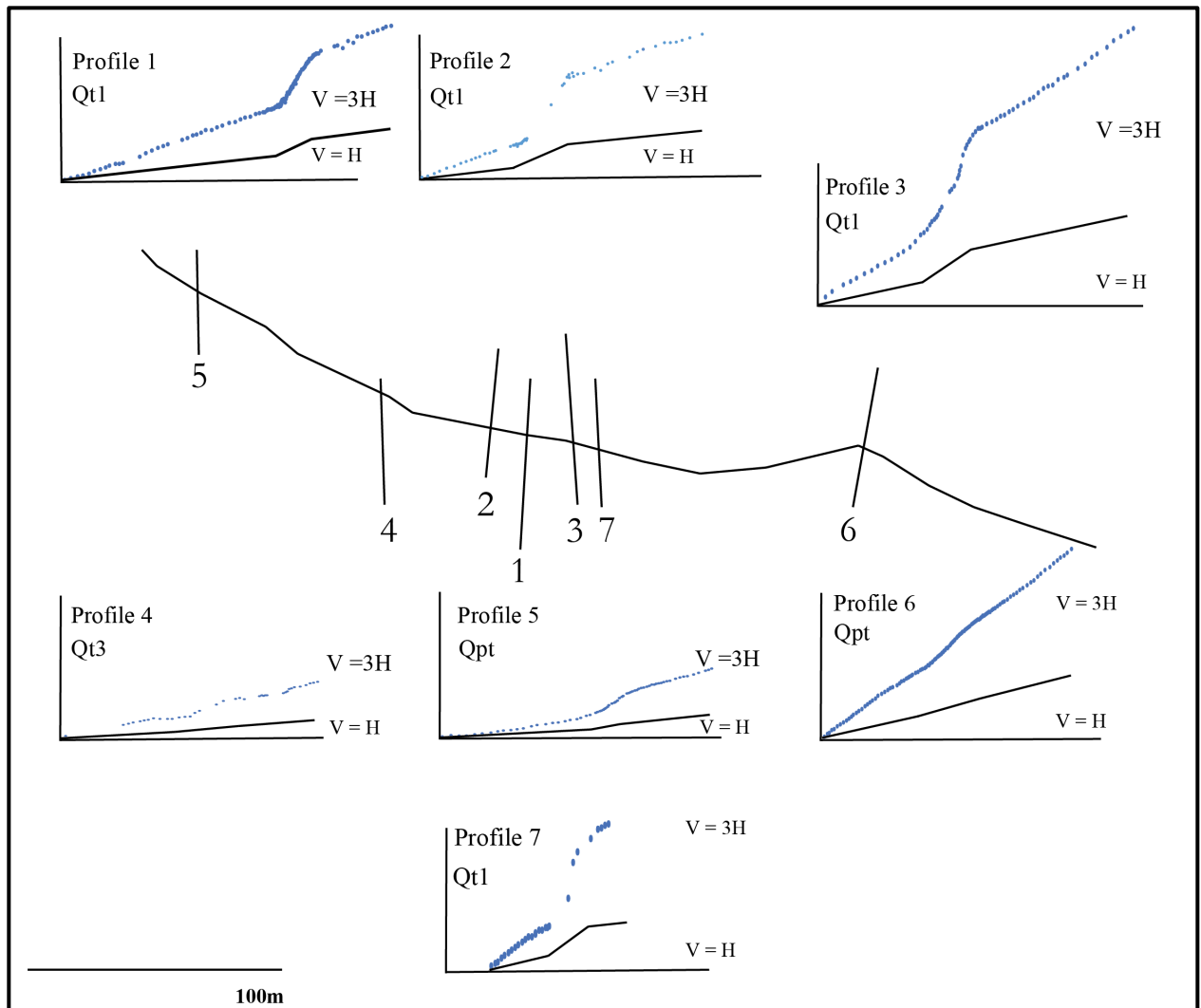
### 3.3. Fault Scarp Diffusion Modeling

Ground-rupturing earthquakes produce fault scarps, visible offsets in the topography exposed at the surface. These scarps persist in the landscape for thousands of years, but over time their morphology evolves as they degrade back into the regional slope of the landscape. This occurs by gravitational processes until the angle of repose is reached. Their present-day topographic expression can be modeled by diffusion to estimate the initiation age of the scarp.

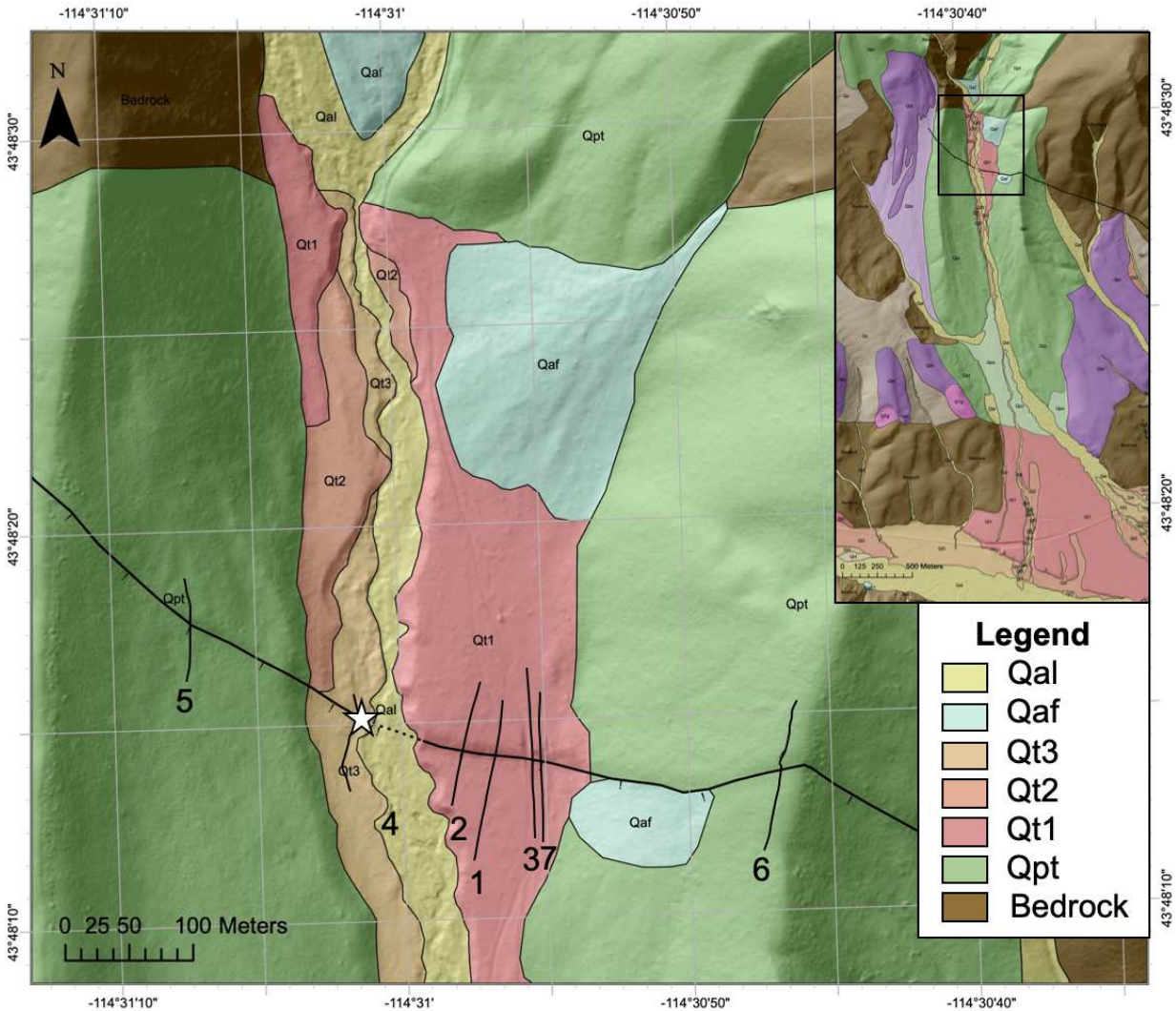
Two types of diffusion modeling are presented in this study, a traditional single slip model that requires the user to approximate both the lower and upper slopes of the scarp and a continuous slip model that only requires the upper scarp slope to be reconstructed. Modeling scarps by diffusion is one method of determining the rupture history of faults.

### 3.3.1. *GNSS Profiling*

Diffusion modeling requires a dataset of distance and elevation across the scarp to model the change in the scarp over time. A Trimble differential GNSS RTK system composed of a base station (Trimble R9s with Zephyr 3 antenna) and a rover (Trimble R8s receiver) were used to collect profiles across the scarp in the field and to provide a series of northing and easting coordinates in addition to elevation data. The base station remained in an unobstructed location on the Qt1 surface and a 100 meter tape measure was laid out perpendicular to the scarp. Vertical and horizontal measurements have resolution of 2.5 cm and were taken by the receiver every 2 meters on the footwall and hanging wall blocks and every 1 meter on the scarp. During preliminary fieldwork in 2021, six profiles were measured across the visible fault scarp with an additional profile being measured in 2023 (Figure 6).



**Figure 6.** GNSS survey data of the seven profiles with actual elevation (black line) and vertical exaggeration of three times the height (blue dots) collected on the Boulder Creek fault segment. Due to tree cover blocking the satellite signal, profile 4 did not extend far into the fault footwall.



**Figure 7.** Geologic map of Bull Lake and Pinedale-age glacial deposits along Boulder Creek with the locations of collected profiles and soil pit (white star). Insets show the stratigraphy and the relationship between glacial surface deposits of the Boulder Creek area and Big Wood River deposits.

Profiles 1-3 and 7 were collected in the oldest river terrace deposit, Qt1, and profile 4 was located in the younger inset terrace deposit, Qt3. Profiles 5-6 were measured in the bounding parallel Pinedale lateral moraines, Qpt (Figure 7). Due to anthropogenic effects from nearby construction on the road leading to the abandoned mining village of Boulder City, profile 3 was not used for timing and slip rate determination during data analysis and interpretation. During the

2023 field season, profile 7 was measured directly east of profile 3 to ensure accurate measurements with no anthropogenic effects.

### 3.3.2. Diffusion Coefficient

A linear diffusion equation can be used to model the fault scarp ages (Hanks, 2000; Regalla et al., 2007). In this equation, the observed scarp slope ( $du/dx$ ), half offset between the hanging wall and footwall ( $a$ ), and regional slope ( $b$ ), are measured from the profile. An initial scarp slope ( $\alpha$ ) correlating to the angle of repose is set at  $35^\circ$ . Time ( $T$ ) in kyr is the rupture age variable being solved by fault scarp diffusion modeling discussed below.  $K$  is the diffusion coefficient in  $m^2/kyr$  and erf is the error function.

$$(1) \quad \left. \frac{du}{dx} \right|_{x=0} - b = (\alpha - b) \operatorname{erf} \left[ \frac{(a/(\alpha - b))}{2\sqrt{(KT)}} \right]$$

Diffusivity of material on a fault scarp is aspect-dependent due to north-facing and south-facing slopes have differing microclimates (Pierce & Colman, 1986). These differences include solar radiation, vegetation that stabilizes soils, wind, and soil wash. The Boulder Front fault is a SW-facing scarp. Diffusion coefficients are also heavily dependent on the height and steepness of the scarp (Pierce & Colman, 1986). Given that all profiles were collected in close proximity on the same fault segment, microclimate was unlikely to vary on the GNSS profiles collected.

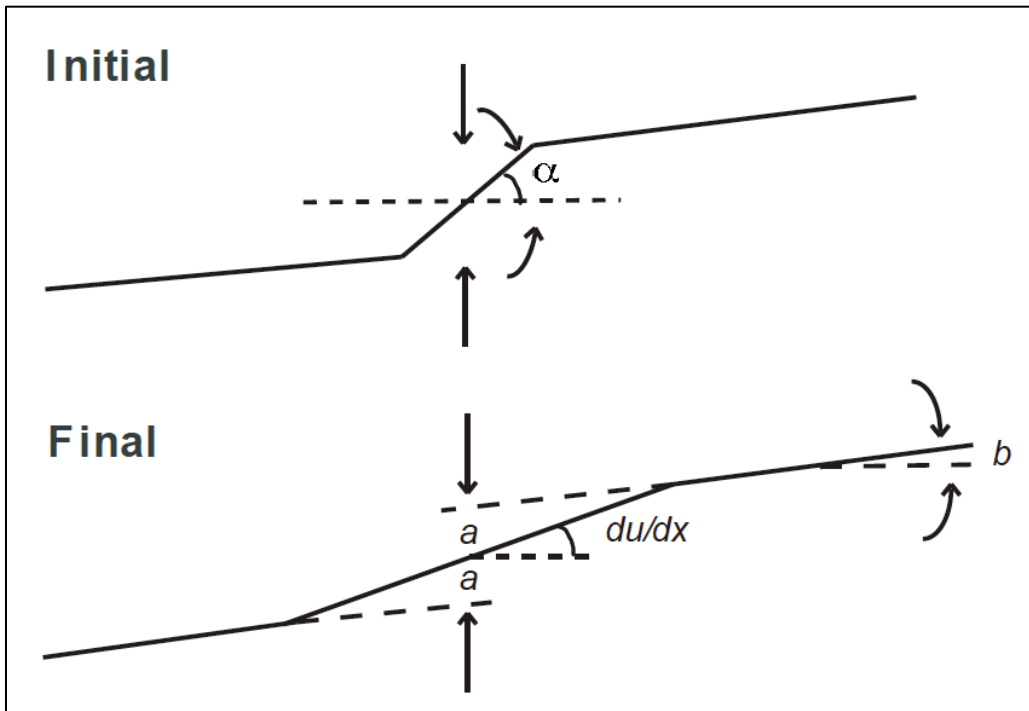
A range of published diffusion coefficients in the Northern Basin and Range Province for scarps of similar heights, between 5-10 m, ranges from  $0.98-3.4 \times 10^{-3} m^2/kyr$  (Pierce & Colman, 1986). A diffusion coefficient of  $1.26 \times 10^{-3} m^2/kyr$  was previously determined from studies in the unconsolidated fluvial sediment in the eastern Red Rock Valley, 186 km to the NE, however,

these unconsolidated surficial deposits were from alluvial fans in a drier climate (Harkins et al., 2005; Regalla et al., 2007).

Using the known maximum rupture age from the soil pit near profile 4 (~2.81kyr) and the modeled  $KT$  value of the profile, a  $K$  of  $2.09 \times 10^{-3} \text{ m}^2/\text{kyr}$  was calculated for the region where the Boulder Front fault is located. This value falls close to the published values of both Regalla et al., (2007) and Pierce and Colman, (1986). Diffusion calculations using both the Regalla et al. (2007) published value and the locally calibrated diffusion coefficient are modeled.

### 3.3.3. *Single Slip Modeling*

Scarps decay by gravitational processes once formed, until reaching an angle of repose, which is assumed by the model to be  $35^\circ$ . Diffusion then occurs until the surface offset is removed and the scarp reaches the same angle as the regional slope (Figure 8). The regional slope was determined directly from GNSS profiles (Appendix C). Initial fault ages are calculated based on the time between the scarp at the angle of repose after initial ground rupture and the slope of the currently modeled profile.



**Figure 8.** The process of fault scarp degradation over time (from Regalla et al., 2007).

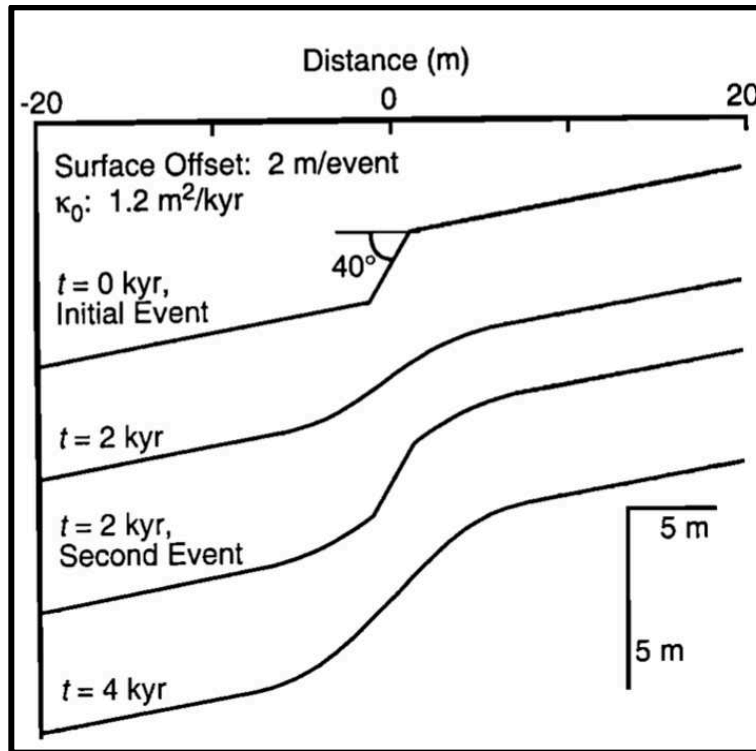
The distance and elevation GNSS profile data is imported into MATLAB R2022a-R2024a for use in a single slip diffusion code that assumes only one ground rupturing earthquake occurred to create the scarp (Appendix D). MATLAB prompts the selection of the fault midpoint, upper regression, and lower regression of the regional slope for each profile (Nash, 2005; Regalla et al., 2007). The output of the code produces a simulation of the scarp degrading over time and an estimated rupture age ( $T$ ) of the fault using the chosen diffusion coefficient (Appendix D). The average rupture age of each profile is then input into a Monte Carlo simulation to express uncertainties on the scarp height and regional slope in the single slip code (Regalla, personal communication, 2022; Appendix E). The limitations of the single slip model are the assumption of only one event producing the scarp and the use of the lower scarp slope that is prone to sediment accumulation which may shallow the slope.

### 3.3.4. Continuous Slip Modeling

There is evidence of multiple ground rupturing earthquakes on the Boulder Front fault based on mapping and scarp height, in various surficial deposits. The continuous slip rate method is used when the rupture history of multiple events is not known for a fault as is the case for the Boulder Front fault (Figure 9). The model assumes a constant slip rate occurring by means of small vertical displacement (<1mm) which degrades the scarp by diffusion (e.g., Mattson & Bruhn, 2001). The continuous slip model only uses the upper background slope as opposed to the single slip model which uses both the upper and lower slopes. The accumulation of material from lateral sediment transport and wind is the reason for excluding the lower slope (Mattson & Bruhn, 2001).

The continuous slip code prompts users to enter a far-field slope ( $b$ ), the same as the regional slope in the single slip model, half-surface offset ( $a$ ), diffusion constant ( $K$ ). It also requires a series of three half-slip rates ( $A$ ), a minimum and maximum age ( $t$ ), and a time step. Elevation ( $u$ ) and horizontal distance ( $x$ ) are accounted for by the profiles. Erf is the error function and sgn is a sign function. The output is an overlay of an observed profile and best-fit model. It also provides a  $KT$  value which can be divided by the input  $K$  to determine initial the rupture age of the profile. Variable half offset was used by modeling an offset of 0.1m both higher and lower than the best-fit data to provide errors on the rupture age.

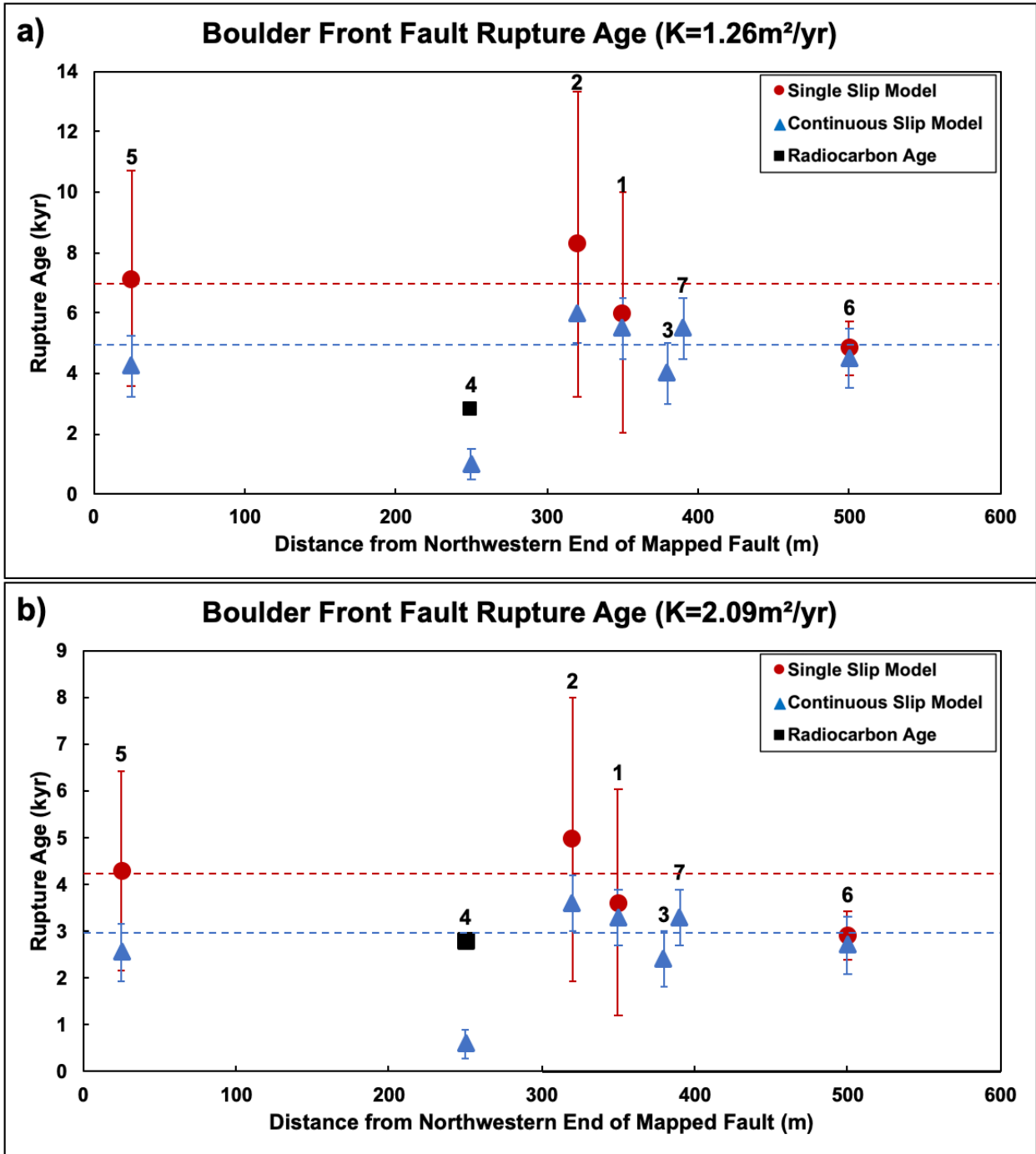
$$(2) \quad u(x,t) = (a + At) \operatorname{erf} \left( \frac{x}{2\sqrt{\kappa t}} \right) + \frac{Ax^2}{2\kappa} \left[ \operatorname{erf} \left( \frac{x}{2\sqrt{\kappa t}} \right) - \operatorname{sgn}(x) \right] \\ + \frac{Ax}{\kappa} \sqrt{\frac{\kappa t}{\pi}} e^{\left( -x^2/4\kappa t \right)} + bx .$$



**Figure 9.** The change in a fault scarp profile after two surface-rupturing events (from Mattson and Bruhn, 2001).

### 3.3.5. Rupture Age

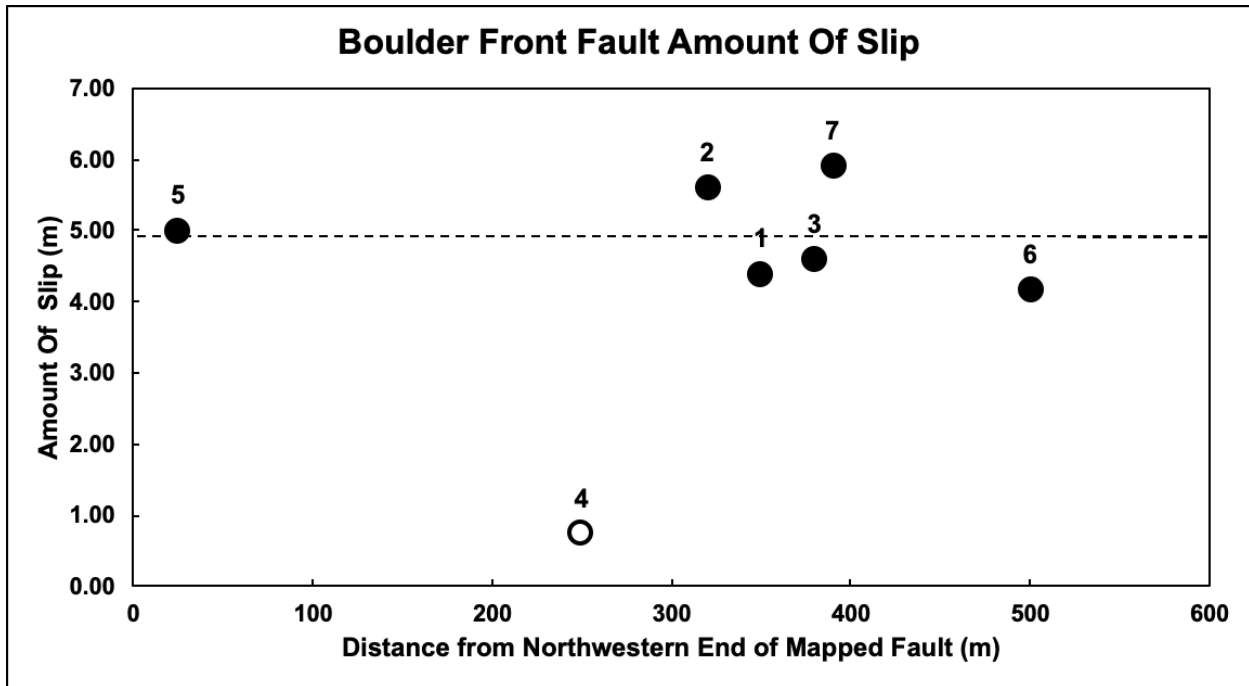
Used in combination, these models likely bracket the fault initiation age. Single slip diffusion models provide an estimate of the maximum rupture age of the fault assuming the slip is all linked to one large rupture event. In contrast, the continuous slip diffusion model provides an estimate of the minimum rupture age of the fault. The rupture age is very dependent on the diffusion coefficient ( $K$ ). Using the closest Regalla et al., (2007) published diffusion coefficient ( $1.26 \times 10^{-3} \text{ m}^2/\text{yr}$ ), single slip modeling estimates a maximum rupture age of  $7.08 \text{ kyr} \pm 0.68 \text{ kyr}$  while continuous slip modeling estimates a minimum age of  $4.96 \text{ kyr} \pm 0.41 \text{ kyr}$  for the Boulder Creek fault segment (Figure 10a). Using a locally calibrated diffusion coefficient ( $2.09 \times 10^{-3} \text{ m}^2/\text{yr}$ ), single slip modeling estimates a younger maximum age of  $4.27 \text{ kyr} \pm 0.68 \text{ kyr}$  while continuous slip modeling estimates a minimum age of  $2.99 \text{ kyr} \pm 0.41 \text{ kyr}$  (Figure 10b).



**Figure 10.** Rupture ages of the fault for both single slip and continuous slip diffusion modeling and the radiocarbon dated charcoal sample using diffusion coefficients a)  $K=1.26 \times 10^{-3} \text{ m}^2/\text{yr}$  b)  $K=2.09 \times 10^{-3} \text{ m}^2/\text{yr}$ . Circles and triangles represent the single slip and continuous slip modeling results respectively. The square is the radiocarbon age from the soil pit near profile 4 marking the maximum of the most recent rupture. Dashed lines correspond to the weighted averages of each model.

### 3.3.6. Amount of Slip

The amount of slip is measured as the vertical difference in height between the offset regional slopes of the fault based on the measured fault profiles. The average amount of slip on the Boulder Front fault on the older Qpt and Qt1 deposits (Profiles 1-3, 5-7) is 4.94 m (Figure 11). Based on the measured offset from profile 4, in the youngest terrace, there was only 0.74m of slip on the Qt3 deposit. Profile 4 was not included in the overall average amount of slip.

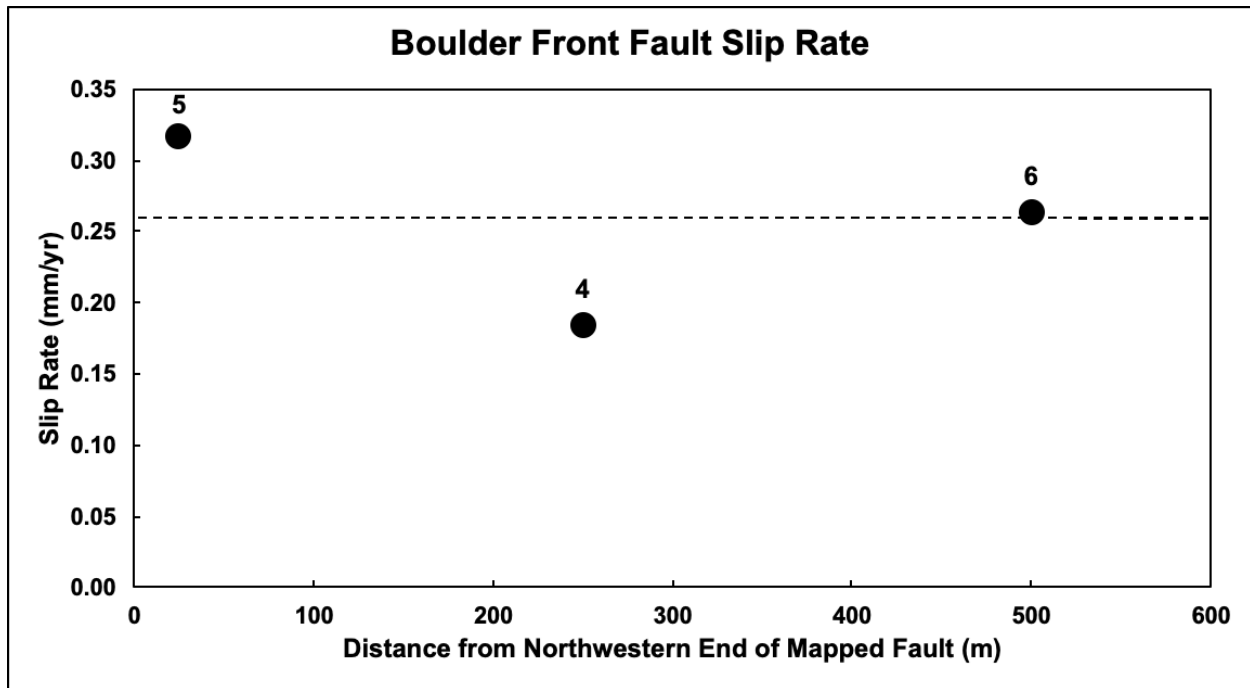


**Figure 11.** The amount of offset on the Boulder Creek segment. Profile 4, the open circle, is in an inset deposit and therefore is less offset. Only the closed circles, marking older deposits, are included in the average. The dashed line represents the average of 4.94m.

### 3.3.7. Slip Rate

The youngest sample from the soil pit near profile 4 produced an age of ~2.81 kyr (Table 2). This age was used along with the height of the scarp in the Qt3 deposit from the field (~0.52 m) to calculate the slip rate at that section of the scarp segment (Figure 12). An estimate for the age of the lateral moraines is calculated by averaging the terrestrial cosmogenic nuclide (TCN) ages of recessional moraines located ~50 km NW of the Boulder Front fault near Redfish Lake

(Easterbrook et al., 2011). Results showed the last glaciation event to have ended ~15.76kyr. These dates were used in conjunction with the amount of slip on profiles 5 and 6, also on the Pinedale moraines, to calculate the slip rate of the Boulder Creek segment in the Qpt surface. Using these age estimates, the average slip rate across profiles 4-6 is ~0.26mm/yr (Figure 12).



**Figure 12.** The average slip rate for the Boulder Front fault using profiles 4-6. The dashed line represents the average of 0.26mm/yr.

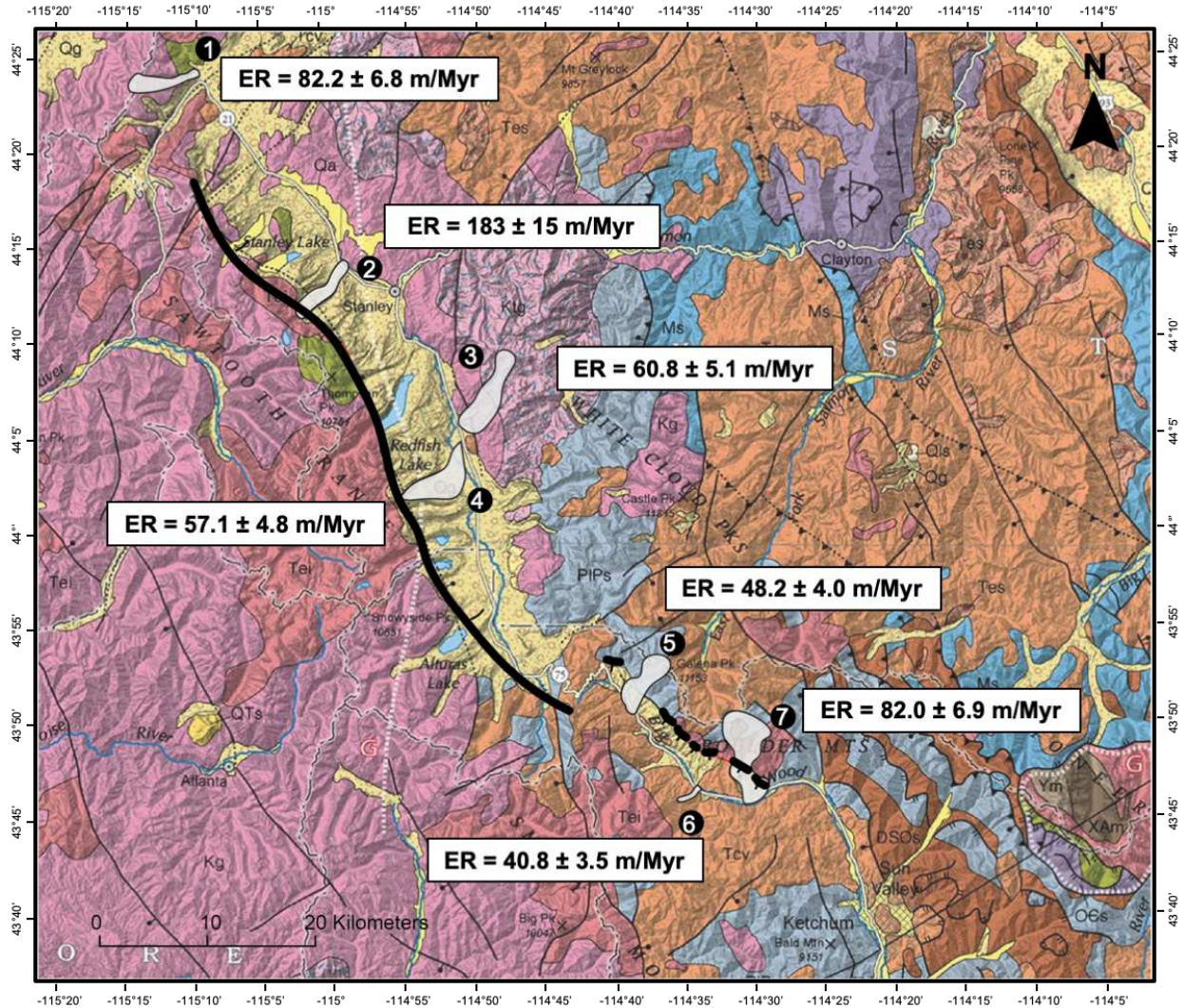
#### 4. Regional Erosion and Uplift Methods and Results

##### 4.1. Field Methods

The study thus far has been focused on the area SE of Galena Summit in the upper Wood River Valley. A regional erosion and uplift rate study was conducted across both the upper Wood River Valley and adjacent Sawtooth Valley, north of Galena Summit. The experiment involved the collection of samples of quartz-rich sand in seven catchments for the determination of Beryllium-10 ( $^{10}\text{Be}$ ) concentrations, erosion rates, and modeled uplift rates throughout the region

on both sides of the axial drainages, in both the hanging wall and footwall blocks and where the land surface was and was not ruptured by a fault (Figure 13).

On the west side of the valley, one sample was collected in the northern aftershock region of the 2020 Stanley earthquake in the Lola Creek catchment on Cape Horn Mountain. Two samples were collected on the west side of the Sawtooth Valley along the Sawtooth fault in the Crooked Creek and Huckleberry Creek catchments. Another was collected on the opposing side of the valley from the Sawtooth fault in the Gold Creek catchment. A sample on the east side of Galena Summit was collected in the Senate Creek catchment. Samples were collected on opposite sides of the upper Wood River Valley, in the Boulder Creek catchment, offset by the Boulder Front fault, and the Logged Canyon catchment (Figure 13). Another sample was in the Eagle Creek catchment, south of the fault and nearest to Sun Valley and Ketchum, Idaho, however, not enough quartz was found for analysis in the sample, so it was unable to be used in data interpretation.



**Figure 13.** Map of the catchments sampled and corresponding erosion rates (ER) with errors in the Wood River and Sawtooth valleys. Catchments: 1) Lola Creek, 2) Crooked Creek, 3) Gold Creek, 4) Huckleberry Creek, 5) Senate Creek, 6) Logged Canyon, 7) Boulder Creek. Geologic base map modified after Lewis et al., 2012.

The field methodology involved collecting ~1-2 kg of sand near the mouth of the catchment, to integrate erosion rates across the entire drainage, and sieving the samples to less than 2mm. The sediment was sieved to account for soil-mantled hillslopes (Belmont et al., 2007). Sediments finer than 0.25mm may have been windblown from nearby catchments and therefore are not included in the study (Granger et al., 1996).

#### 4.2 Lab Analysis

To determine erosion rates, initial sample preparation included sieving samples between 0.25-2 mm, washing with water to remove fines, and HCl dissolution of carbonates at Lehigh University facilities. The samples were sent to the Wollongong Isotope Geochronology Laboratory in Australia for quartz separation and purification, chemical preparation (BeO), and Accelerated Mass Spectrometry measurement for [ $^{10}\text{Be}$ ]. The results from the laboratory analysis are presented in Table 3.

#### 4.3. Erosion Rates

**Table 3.** Accelerated Mass Spectrometry Results

Catchment	[ $^{10}\text{Be}$ ] atoms/g	[ $^{10}\text{Be}$ ] Uncertainty atoms/g
1 (Lola Creek)	1.406E+05	3.328E+03
2 (Crooked Creek)	6.451E+04	1.601E+03
3 (Gold Creek)	2.043E+05	5.217E+03
4 (Huckleberry Creek)	2.173E+05	5.139E+03
5 (Senate Creek)	2.899E+05	7.404E+03
6 (Logged Canyon)	3.103E+05	9.703E+03
7 (Boulder Creek)	1.459E+05	3.804E+03

Results from the AMS analysis produced nuclide concentrations with associated uncertainties for each sample (Table 3). Erosion rates were calculated through the CRONUS-Earth online erosion rate calculator (Balco et al., 2008). The program requires inputs from both the field and the lab to be entered in a specific input layout for erosion rate calculation (Appendix F). Topographic shielding is the last input and can be calculated for remotely to accurately solve for erosion rates. 90 m DEM's and hydrography data downloaded from the USGS National Map Data are imported to ArcGIS Pro. The raster can be converted to a .txt file

using the Raster to ASCII tool. The .txt file is read into a MATLAB script designed for the analysis of catchments and long profiles that involve MATLAB functions from TopoToolbox (Schwanghart & Scherler, 2014; Pazzaglia, personal communication, 2024). In the code, the studied drainage basin can be selected and its topographic shielding calculated. The MATLAB script will not produce a number for topographic shielding and therefore the newly generated file must be exported to ArcGIS Pro as a .geotiff file. Viewing statistics of the watershed, and subtracting the mean value from 1, will indicate the topographic shielding correction for that watershed. The shielding values ranged from 0.948 to 0.993 (Appendix F).

All erosion rate results except one range by a factor of two from  $40.8 \pm 3.5$  m/Myr to  $82.2 \pm 6.8$  m/Myr (Table 4). The outlier is sample 2, Crooked Creek catchment, with an erosion rate of  $183 \pm 15$  m/Myr. The integration time for  $^{10}\text{Be}$  to represent a basin wide erosion rate is inversely proportional to the erosion rate. For slowly eroding landscapes, the integration time is long, on the order of  $10^4$ - $10^5$  years. In contrast, for rapidly eroding landscapes, the integration time is short, on the order of  $10^3$ - $10^4$  years. For the  $^{10}\text{Be}$  and erosion rates presented here, the integration time is on the order of  $10^4$  years, spanning at least the glacial cycle.

**Table 4.** Regional Catchment Properties

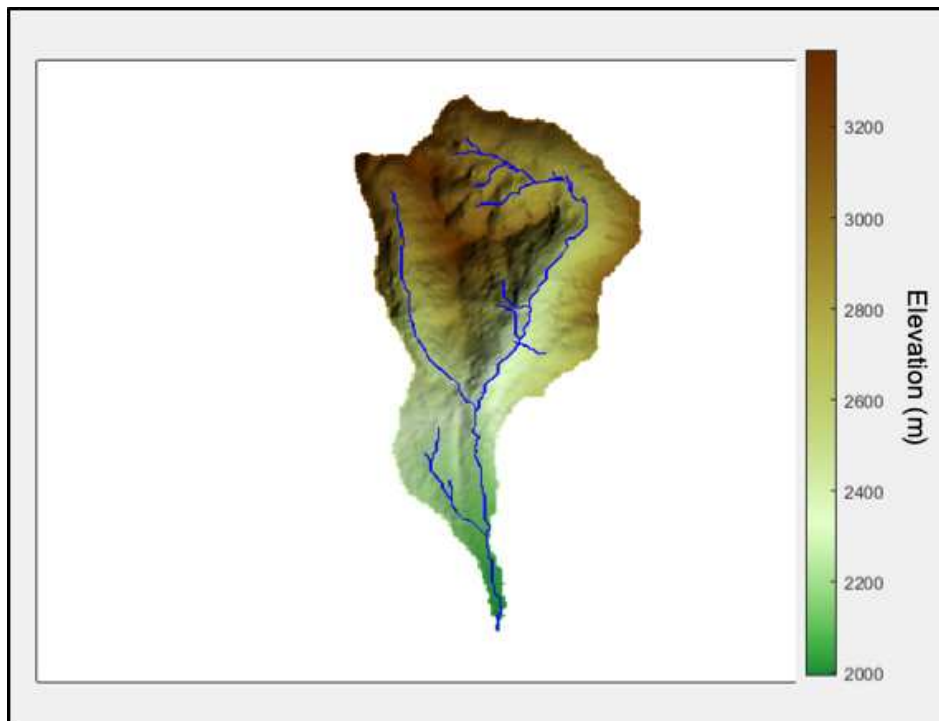
Sample	Erosion Rate (m/Myr)	Drainage Basin Area (km <sup>2</sup> )	Fault Scarp Present
1 (Lola Creek)	$82.2 \pm 6.8$	6.950	No
2 (Crooked Creek)	$183 \pm 15$	15.885	Yes
3 (Gold Creek)	$60.8 \pm 5.1$	35.142	No
4 (Huckleberry Creek)	$57.1 \pm 4.8$	17.139	No
5 (Senate Creek)	$48.2 \pm 4.0$	6.560	No
6 (Logged Canyon)	$40.8 \pm 3.5$	0.896	No

7 (Boulder Creek)	$82.0 \pm 6.9$	18.605	Yes
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#### 4.4. Catchment-Scale Uplift Modeling

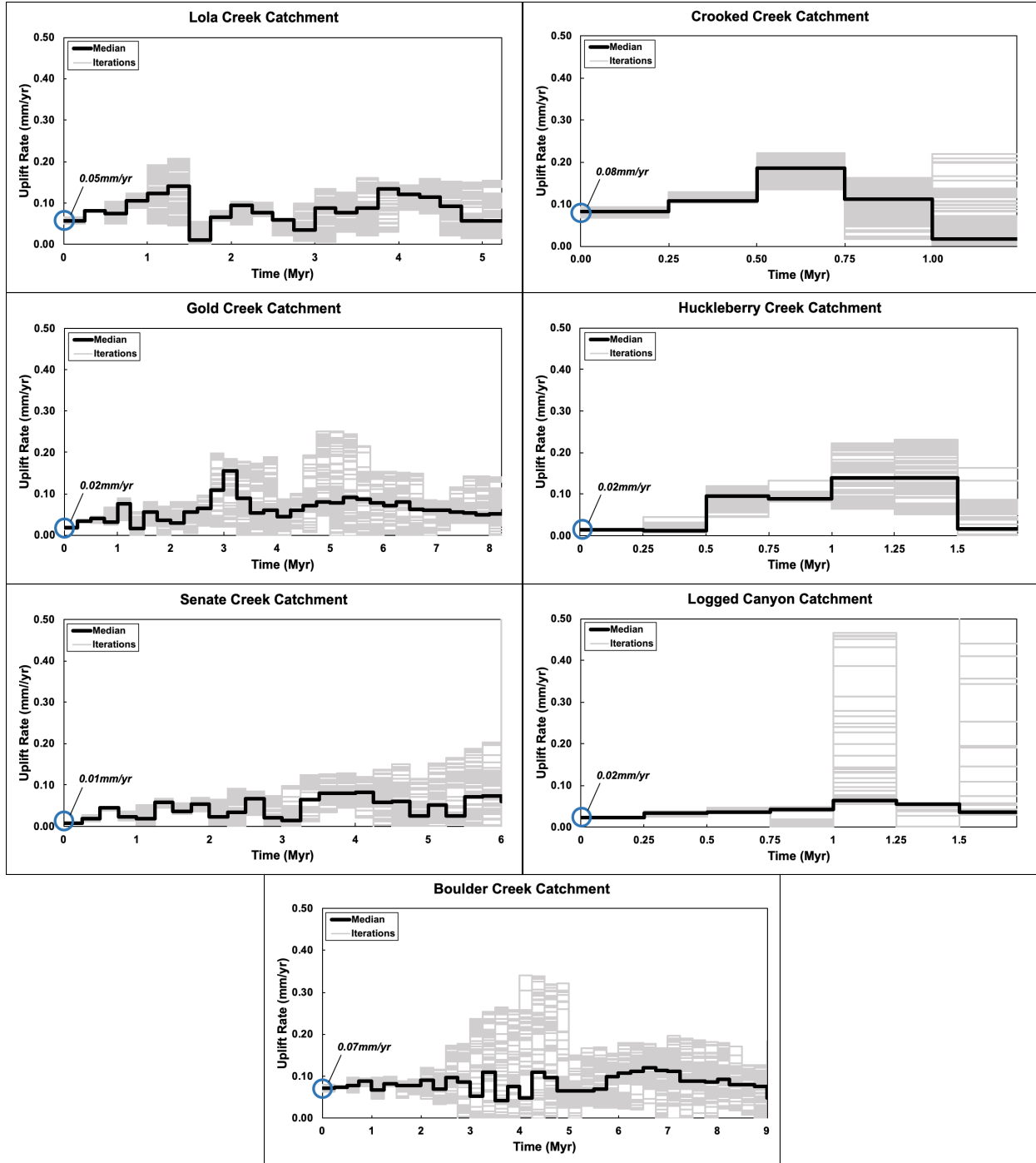
The linear inversion of the longitudinal river profiles is a modeling methodology used to reconstruct base-level fall histories corresponding to uplift rates of individual catchments (Fisher et al., 2022). The code, available in Fisher et al., 2022, uses digital elevation models of watersheds to model the fluvial topography (Figure 14). The initial inputs to the model are a 90 m clipped DEM of a watershed,  $^{10}\text{Be}$  erosion rate with the associated error, a concavity value and critical drainage basin area. The model, based on a series of stream-power equations, calculates the normalized steepness for each basin by using the concavity value, set at the global average of 0.45, for all the catchments (Kirby et al., 2003; Fisher et al., 2022). Erodibility can then be modeled using the normalized steepness index and erosion rate for each catchment. The version of the model being used in this study assumes a uniform geology and therefore a constant erodibility for the bedrock in each of the drainage basins (Goren et al., 2014). One caveat of the model is that all of the samples are from alluvial streams and the model assumes they are bedrock streams. The inversion of the longitudinal profiles is used to determine the base level fall history which is assumed to equate to spatially uniform uplift rates across each of the individual catchments. A timestep of 0.25 Myr was used to account for multiple glacial-interglacial cycles and the Monte Carlo simulation was set for 100 iterations to express uncertainties in the normalized channel steepness, erosion rates and erodibility (Fisher et al., 2022). The results are showing the uplift rates from the modeled base-level fall history from each catchment's respective erosion rates, steepness and erodibility (Figure 15).

Modern modeled uplift rates of the catchments range from 0.01mm/yr to 0.08mm/yr (Figure 15). The lowest is Senate Creek catchment with a rate of 0.01 mm/yr and then Gold Creek, Huckleberry Creek, and Logged Canyon catchments with uplift rates of 0.02 mm/yr. Yielding higher present-day uplift rates are Lola Creek catchment, 0.05 mm/yr, Boulder Creek catchment, 0.07 mm/yr, and Crooked Creek catchment, 0.08 mm/yr. Variability in erosion rates may reflect mass flow deposits abundance upstream of the  $^{10}\text{Be}$  sample.



**Figure 14.** Colored shaded relief map of the Boulder Creek watershed.

## Regional Uplift Rates



**Figure 15.** Long-term uplift rates of a) Lola Creek catchment,  $ER= 82.2\pm 6.8\text{m/Myr}$ , b) Crooked Creek catchment,  $ER=183\pm 15\text{m/Myr}$ , c) Gold Creek catchment,  $ER=60.8\pm 5.1\text{m/Myr}$ , d) Huckleberry Creek catchment,  $ER=57.1\pm 4.8\text{m/Myr}$ , e) Senate Creek catchment,  $ER=48.2\pm 4.0\text{m/Myr}$ , f) Logged Canyon catchment,  $ER=40.8\pm 3.5\text{m/Myr}$ , g) Boulder Creek catchment,  $ER=82.0\pm 6.9\text{m/Myr}$ . Gray lines are the 100 iterations of the Monte Carlo simulation and the black line is the median of all the runs. Blue circles mark the modeled modern base-level fall/uplift rate.

## 5. Discussion

### 5.1. *Fault Characterization*

Interpretation of DEM's and field mapping have extended the mapped length of the Boulder Front fault to Galena Summit while revealing 7 segments spanning over 20 km across the southern face of the Boulder Mountains. The average segment length of a normal fault in the Northern Basin and Range has been reported to be 20-25 km, consistent with the length of the entire Boulder Front fault (Jackson & White, 1989; Crone & Haller, 1991). In comparison to other normal faults in the Northern Basin and Range, segments of the Boulder Front fault are considerably shorter, measuring from 1.1 km – 2.2 km. A study on active faulting in the Northern Basin and Range of Montana and Idaho reveals fault segments are generally oriented N30°W to N55°W and N75°W to S80°W (Stickney & Bartholomew, 1987). While most of the strike orientations of the Boulder Front fault segments fall within these values, a few outliers stretch the range from S40°W-N14°W.

Gaps in the continuity of a scarp and changes in its morphology are used to define the characteristics of fault segment boundaries associated with normal faults (Crone & Haller, 1991). This allows for the characterization of the Boulder Front fault into three main sections: northwestern, central, and southeastern. Although the fault scarp is not continuous across the central section, most of the minor gaps between the segments are confined to either bedrock or alluvial and mass movement deposits. Recent erosion and stream channels may be responsible for concealing scarps in Quaternary deposits, however, bedrock being more resistant to weathering should enhance the surface expression of the fault (Hilley et al., 2001). While there is no visible linkage of segments 2-5, the proximity and morphology of the scarps lead to the implication of linkage in the subsurface. The observed lack of continuous fault scarp expression

suggests that the Boulder Front fault is still immature and the accommodation zone is not breached as the fault segments have yet to link up (Cowie, 1998; Harkins et al., 2005).

The radiocarbon dating results corroborate the interpretation of the fault segmentation. The samples near segment 1 (Samples a1-a3) are too large of a range to make determinations of its relationship with segment 6 (Sample c1-c2) at Boulder Creek. The young radiocarbon age suggests that segment 1 ruptured within the last ~1,100 yrs. The youngest results of samples b and c are much closer ( $2206 \pm 107$  yr and  $2813 \pm 55$  yr) which indicates there could have been a ground rupturing earthquake in approximately the last ~2,200 years as the  $^{14}\text{C}$  samples were collected well below (~50-130 cm) the ruptured surfaces. Based on scarp morphology and the absence of a continuous surface rupture, (Crone & Haller, 1991), it is unlikely that segments 5 and 6 are linked. Segment 6 at Boulder Creek is also situated much further into the valley than the other segments that are closer to the mountain front.

Seismogenic linkage implications between segments of the Boulder Front fault provide insight into the magnitude of past and future earthquakes. The rupture length of a fault is correlated to the magnitude of the earthquake that occurs (e.g., Wells & Coppersmith, 1994; Wesnousky, 2008). Empirical regression equations comparing surface rupture length to Moment Magnitude (M) estimate the 2.2 km segment at Boulder Creek to have produced an earthquake with M5.5 (e.g., Wells & Coppersmith, 1994). Using the same correlation, had the entire fault ruptured, a length of 20.8 km, it would be consistent with an earthquake with a M6.5. Wells and Coppersmith (1994) have been noted to underestimate earthquake magnitude for larger events (Stirling et al., 2002; Morell et al., 2020). Following instrumental era regressions, the size of the Boulder Creek segment and the entire fault rupture would have been M5.7 and M6.6 respectively (Stirling et al., 2002). It was also noted earlier that earthquakes with  $<M6.0$  may produce poor

surface expression and inconsistencies which implies that the magnitude of the Boulder Creek segment may be at higher than the estimation by Stirling et al., 2002 and at least M6.0 if subsurface linkage is present between the adjacent segments (Wells & Coppersmith, 1994). Although some segment linkage is possible, based on the large distance between the fault sections, it is unlikely that the entire Boulder Front fault ruptured at the same time. However, given the short segment length and the consistency in scarp height it is likely the entire Boulder Creek segment ruptured within the last several millennia.

### *5.2. Boulder Front Fault Slip Behavior*

It is evident that there were at least two distinct ruptures of the Boulder Front fault in the last ~7 kyr. An older modeled rupture calculated through diffusional modeling, occurring around 3-7 kyr ago is portrayed in profiles collected in the Qt1 and Qpt deposits. A more recent rupture at the Boulder Creek segment is highlighted by the radiocarbon date of the Qt3 deposit indicating that the latest rupture took place within the last ~<2.81 kyr as the deposit had experienced a surface rupturing earthquake.

Furthermore, the amount of slip on each of the profiles in their respective deposits emphasizes the disparity between the minimal two ruptures at the Boulder Creek segment. An average slip of 4.94m in the older deposits (Qpt and Qt1) is explained by these deposits undergoing more ground-rupturing earthquakes and therefore increasing the amount of slip over time. Less offset, 0.74 m, is apparent in the youngest Qt3 deposit leading to the conclusion that the segment has experienced at least one major rupture prior to Boulder Creek incising to form the inset terrace. The similarities in slip amongst the older deposits also imply that the entire segment ruptured at the same time.

Another method based on the amount of slip would be to assume characteristic earthquakes, when fault segments produce earthquakes of about the same magnitude and displacement (Schwartz & Coppersmith, 1984). A single ground rupturing earthquake on the Boulder Creek segment could produce ~0.7 m of slip and therefore the older deposits experienced ~7 separate events to get a total slip of nearly 5 m. There also could have been fewer events that produced larger amounts of slip. The lateral and recessional moraines consisting of the Q<sub>pt</sub> deposit are known to be ~15.76 kyr old (Easterbrook et al., 2011). By estimating 7 ruptures since that time, there is a recurrence interval of about 2.3 kyr implying the next earthquake north of Ketchum and Sun Valley, Idaho may be in the near future. These glacial landscapes at the Boulder Creek segment experienced at least 2, but possibly as many as 7 or more earthquakes of M6.0 or greater to produce surface ruptures since their deposition in the late Pleistocene (Easterbrook et al., 2011).

Studies on faults throughout the Northern Basin and Range calculate long-term normal fault slip rates to be 0.2-0.3 mm/yr (Pérouse & Wernicke, 2017). The slip rate of the Boulder Front fault (0.26mm/yr) is directly in line with the regional values.

### *5.3. Regional Erosion and Uplift Relationships*

Erosion rates in catchments north of Galena Summit (Samples 1-4) yielded no major differences when compared to those over 80km SE in the upper Wood River Valley (Samples 5-7). (Figure 13). Additionally, larger drainage basins did not have distinctly different erosion rates than smaller drainage basins (Table 4). With the exception of the erosion rate from Crooked Creek catchment, the values are within about a two-fold range with an average erosion rate of  $54.8 \pm 3.7$  m/Myr. Diorite outcrops Crooked Creek catchment in its upper reaches with Quaternary terrace deposits and glacial deposits in its lower and middle reaches (Killsgaard et

al., 2006). These coverages are comparable to those near Boulder Creek, a catchment of similar size. Boulder Creek catchment consists of igneous and sedimentary rocks in its upper/middle reaches and alluvial and glacial deposits in its lower catchment (Lewis et al., 2012). Rock-type underlying the catchment does not reveal a significant enough difference to warrant the higher Crooked Creek erosion rate. A recent landslide within the Crooked Creek catchment may be the distinguishing factor between the higher erosion rate ( $183 \pm 15$  m/Myr) and those of the other catchments ( $40.8 \pm 3.5$  m/Myr- $82.2 \pm 6.8$  m/Myr). Overall, these values are mostly in line with regional erosion rates for the Northern Basin and Range which are about 20-100 m/Myr (Mitchell et al., 2023).

A defining feature of these mountain ranges in the Northern Basin and Range is glaciation shaping the landscapes (Easterbrook et al., 2011). Studies of erosion rates in the Northern Basin and Range in the Rocky Mountains of Colorado and Wyoming show glaciated environments having erosion rates of 40 m/Myr with unglaciated environments having erosion rates of 23-75 m/Myr (Dethier et al., 2014). Although these values are slightly lower than some of the erosion rates calculated for central Idaho, they reveal that no major differences exist amongst the erosion rates in catchments that experienced late Pleistocene glaciations.

Modeled results presented in the uplift rate graphs of Figure 15 only account for the recent ~75% of the modeled data as most iterations of the older timesteps did not yield any data and were therefore excluded. The maximum response time of the graphs presented indicate base-level fall in the stream channel reaching the headwaters where there is an absence of fluvial processes (Figure 15; Fisher et al., 2022). In the last half a million years there has been a clear decline in modeled uplift rates towards present-day implying a possible decrease in tectonic activity as compared to historic rates. In the Boulder Creek catchment, uplift rates appear to be

relatively steady around 6 Myr and later. Minor increases in uplift rate to 0.11 mm/yr exist at 3.25 Myr and 4.25 Myr, but no order of magnitude changes that would indicate high rates of past tectonic activity.

Catchment-scale modeling reveals differences amongst catchments with visible fault scarps and those where they are absent. Crooked Creek and Boulder Creek catchment are the only two catchments in the study where a visible fault scarp is present (Table 4; Figure 15b and 15g; Lifton et al, 2023; Boyle et al., 2023). Huckleberry Creek catchment, despite being situated along the Sawtooth fault, has only an inferred scarp in its upper reaches (Thackray, 2013). Comparisons of modeled present-day rates in Figure 15 show uplift to be much higher than those of the other catchments with Boulder Creek being 0.07 mm/yr and Crooked Creek being 0.08 mm/yr. With the exception of Lola Creek, the catchments with visible fault scarps have uplift rates of 3.5-4 times those of catchments with no evidence of faulting. This leads to the implication that these ground-rupturing faults may have an influence on the local uplift of these catchments (Crone & Haller, 1991). However, with all the uplift rates being in the same order of magnitude, it is likely this area of central Idaho is being driven by the larger-scale regional uplift of the Northern Basin and Range. Additionally, with the erosion rates of all catchments being higher than their respective uplift rates, it is demonstrating the gentle slope of the stream towards the mouth of the stream.

Lola Creek catchment has a present-day uplift rate of 0.05mm/yr and is the only other drainage basin with a rate above 0.2mm/yr. Although no visible scarp was observed, it is found along strike of the northwestern extension of the main branch of the Sawtooth fault and is situated 9.5 km to the southeast of the epicenter of the 2020 Stanley earthquake (Lifton et al.,

2023). Additional studies could look into the eastern front of Cape Horn Mountain where the Sawtooth fault may be extended to the north (Figure 1).

## **6. Conclusion**

The SW-dipping Boulder Front fault situated in the Centennial Tectonic Belt within the Northern Basin and Range Province is characterized as a range-bounding normal fault in the upper Wood River Valley. Surficial geologic mapping and DEM interpretation delineate 7 separate segments over the 20 km strike-length of the Boulder Front fault. Lack of continuous scarps and differences in strike orientations divide these segments into the northwestern, central, and southeastern sections. The differing physical properties leads to the conclusion that the entire Boulder Front fault likely did not rupture at the same time, but all of segment 6 at Boulder Creek did. Seismic hazard exists for Ketchum and Sun Valley, Idaho based on the length of the scarps with correlation predicting M5.7 earthquakes estimated for the Boulder Creek segment. Recurrence intervals of approximately 2.3kyr are calculated from diffusional modeling and radiocarbon sampling showing at least two ground-rupturing earthquakes in the last 3-7kyr, with slip measurements implying ~7 previous events throughout the late Pleistocene. Radiocarbon data also suggests a recent rupture of the most northwestern segment in the last ~1,100yrs. The difference in rupture age reinforces that the sections are not linked at depth. Erosion rate analysis reveals no distinct differences between catchments based on drainage area, geographic location, or glacial activity and rates are in line with regional values of the Northern Basin and Range. Present-day uplift rates in catchments with visible fault scarps are 3.5-4 times higher than those without a fault scarp, with the exception of Lola Creek catchment. Regional uplift in the Northern Basin and Range Province is the driving force of uplift of these individual catchments in central Idaho.

## References Cited

- Anastasio, D.J., Majerowicz, C. N., Pazzaglia, F.J., & Regalla, C. A. (2010). Late Pleistocene - Holocene Ruptures of the Lima Reservoir Fault, SW Montana. *Journal of Structural Geology*, 32(12), 1996-2008. <https://doi.org/10.1016/j.jsg.2010.08.012>
- Balco, G., Stone, J.O., Lifton, N.A., & Dunai, T.J. (2008). A complete and easily accessible means of calculating surface exposure ages or erosion rates from  $^{10}\text{Be}$  and  $^{26}\text{Al}$  measurements. *Quaternary Geology*, 3(3), 174-195. <https://doi.org/10.1016/j.quageo.2007.12.001>
- Belmont, P., Pazzaglia, F.J., & Gosse, J.C. (2007). Cosmogenic  $^{10}\text{Be}$  as a tracer for hillslope and channel sediment dynamics in the Clearwater River, western Washington State. *Earth and Planetary Science Letters*, 264(1-2), 123-135. <https://doi.org/10.1016/j.epsl.2007.09.013>
- Boyle, S., Nowak, T., Berti, C., & Anastasio, D.J. (2023). Fault Segmentation and Analysis of the Rupture History of the Boulder Front Fault, Northern Basin and Range Province, Idaho. *Geologic Society of America Abstracts with Programs*, 55(6). <http://doi.org/10.1130/abs/2023AM-391640>
- Cowie, P.A. (1998). A healing-reloading feedback control on the growth rate of seismogenic faults. *Journal of Structural Geology*, 20(8), 1075-1087. [https://doi.org/10.1016/S0191-8141\(98\)00034-0](https://doi.org/10.1016/S0191-8141(98)00034-0)
- Crone, A.J., & Haller, K.M. (1991). Segmentation and the coseismic behavior of Basin and Range normal faults: examples from east-central Idaho and southwestern Montana, U.S.A. *Journal of Structural Geology*, 13(2), 151-164.
- Crone A.J., Haller, K.M., & Lewis., R.S. (2010). Fault number 640, Sawtooth fault, in Quaternary fault and fold database of the United States, *U.S. Geological Survey website*. <https://earthquake.usgs.gov/static/lfs/nshm/qfaults/Reports/640.pdf>
- Crone, A.J., & Neier, R.S. (2010). Fault number 639, Boulder front fault, in Quaternary fault and fold database of the United States, *U.S. Geological Survey website*. [https://earthquake.usgs.gov/cfusion/qfault/show\\_report\\_AB\\_archive.cfm?fault\\_id=639&id=](https://earthquake.usgs.gov/cfusion/qfault/show_report_AB_archive.cfm?fault_id=639&id=)

- Dethier, D.P., Ouimet, W., Bierman, P.R., Rood, D.H., & Balco, G. (2014). Basin and bedrock: Spatial variation in  $^{10}\text{Be}$  erosion rates and increasing relief in the southern Rocky Mountains, USA. *Geology*, *42*(2), 167-170. <https://doi.org/10.1130/G34922.1>
- Di Bucci, D., Massa, B., & Zuppetta, A. (2006). Relay ramps in active normal fault zones; a clue to the identification of seismogenic sources (1688 Sannio earthquake, Italy). *Geological Society of America Bulletin*, *118*(3-4), 430-448. <https://doi.org/10.1130/B25783.1>
- Easterbrook, D.J., Gosse, J., Sherard, C., Evenson, E., & Finkel, R. (2011). Evidence for synchronous global climatic Events: Cosmogenic Exposure Ages of Glaciations. *Evidence-Based Climate Science*, Chapter 2, 53-88. <https://doi.org/10.1016/B978-0-12-385956-3.10002-6>
- Idaho Lidar Consortium. (2021). [www.idaholidar.org/](http://www.idaholidar.org/).
- Idaho Office of Emergency Management. (2019). 1983 Borah Peak Earthquake, *Earthquakes*. <https://ioem.idaho.gov/news/a-history-of-idaho-disasters/earthquakes/>
- Fisher, J.A., Pazzaglia, F.J., Anastasio, D.J., & Gallen, S.F. (2022). Linear inversion of fluvial topography in the northern Apennines: comparison of base-level fall to crustal shortening. *Tectonics*, *41*(11). <https://doi.org/10.1029/2022TC007379>
- Gans, P.B., & Bohron, W.A. (1998). Suppression of Volcanism During Rapid Extension in the Basin and Range Province, United States. *Science*, *279*(5347), 66-68. <https://doi.org/10.1126/science.279.5347.66>
- Goren, L., Fox, M., & Willett, S.D. (2014). Tectonics from fluvial topography using formal linear inversion: Theory and applications to the Inyo Mountains, California. *JGR Earth Surface*, *119*(8), 1651-1681. <https://doi.org/10.1002/2016GL070451>
- Granger, D.E., Kirchner, J.W., & Finkel, R. (1996). Spatially averaged long-term erosion rates measured from in situ-produced cosmogenic nuclides in alluvial sediment. *The Journal of Geology*, *104*(3), 249-257. <https://doi.org/10.1086/629823>
- Harkins, N. W., Anastasio, D.J. & Pazzaglia, F.J. (2005). Tectonic geomorphology of the Red Rock fault, insights into segmentation and landscape evolution of a developing range front normal Fault. *Journal of Structural Geology*, *27*(11), 1925–1939. <https://doi.org/10.1016/j.jsg.2005.07.005>

- Hanks, T.C. (2000). The Age of Scarplike Landforms From Diffusion-Equation Analysis. *Quaternary Geochronology: Methods and Applications*, 4, 313-338.  
<https://doi.org/10.1029/RF004p0313>
- Hilley, G.E., Arrowsmith, R., & Amoroso, L. (2001). Interaction between normal faults and fractures and fault scarp morphology. *Geophysical Research Letters*, 28(19), 3777-3780.  
<https://doi.org/10.1029/2001GL012876>
- Jackson, J.A., & White N.J. (1989). Normal faulting in the upper continental crust: observations from regions of active extension. *Journal of Structural Geology*, 11(1-2), 15-36.  
[https://doi.org/10.1016/0191-8141\(89\)90033-3](https://doi.org/10.1016/0191-8141(89)90033-3)
- Killsgaard, T.H., Loudon, R.S., & Lewis, R.S. (2006). Geologic Map of the Daedwood River 30 x 60 Minute Quadrangle. *Idaho Geological Survey*. GM-45.  
<https://www.idahogeology.org/product/gm-45>
- Kirby, E., Whipple, K.X., Tang, W., & Chen, Z. (2003). Distribution of active rock uplift along the eastern margin of the Tibetan Plateau: Inferences from bedrock channel longitudinal profiles. *JGR Solid Earth*, 108(B4). <https://doi.org/10.1029/2001JB000861>
- Lewis, R.S., Link, P.K., Stanford, L.R., & Long, S. (2012). Geologic Map of Idaho. *Idaho Geological Survey*. <https://www.idahogeology.org/product/m-9>
- Liberty, L.M., Lifton, Z.M., & Mikesell, T.D. (2021). The 31 March 2020 Mw 6.5 Stanley, Idaho, earthquake: Seismotectonics and preliminary aftershock analysis. *Seismological Research Letters*, 92(2A), 663–678. <https://doi.org/10.1785/0220200319>
- Lifton, Z.M., Zellman, M.S., & Thackray, G.D. (2023). Surface Fault Scarp Mapping of the Sawtooth Fault, Central Idaho. *Idaho Geological Survey Staff Reports*, S-23-03.  
[https://www.idahogeology.org/pub/Staff\\_Reports/S-23-03\\_Sawtooth\\_Fault\\_Report.pdf](https://www.idahogeology.org/pub/Staff_Reports/S-23-03_Sawtooth_Fault_Report.pdf)
- Link, P.K., Mahoney, J.B., Bruner, D.J., Batatian, L.D., Wilson, E., & Williams, J.C. (1995). Geologic Map of Outcrop Areas of Sedimentary Units in the Eastern Part of the Hailey 1° x 2° Quadrangle and Part of the Southern Part of the Challis 1° x 2° Quadrangle, South-Central Idaho. *U.S. Geological Survey, Bulletin 2064-C*, Plate 1.  
<https://pubs.usgs.gov/bul/b2064-c/>
- Liu, M., & Shen, Y. (1998). Crustal collapse, mantle upwelling, and Cenozoic extension in the North American Cordillera. *Tectonics*, 17(2), 311-321.  
<https://doi.org/10.1029/98TC00313>

- Mattson, A., & Bruhn, R.L. (2001). Fault slip rates and initiation age based on diffusion equation modeling: Wasatch Fault Zone and eastern Great Basin. *Journal of Geophysical Research*, 106(B7), 13739-13750. <https://doi.org/10.1029/2001JB900003>
- Mitchell, N., Yanites, B., Duvall, A., Humphreys, E., Perry-Houts, J., Schoettle-Greene, P., & Williams, S. (2023). Late Miocene or older canyon incision in the northern U.S. Cordillera shown by erosion rates, incision models and basalt flow ages. *GSA Bulletin*, 135(11-12), 3143-3162. <https://doi.org/10.1130/B36524.1>
- Morell, K.D., Styron, R., Stirling, M., Griffin, J., Archuleta, R., & Onur, T. (2020). Seismic Hazard Analyses From Geologic and Geomorphic Data: Current and Future Challenges. *Tectonics*, 39(10). <https://doi.org/10.1029/2018TC005365>
- Nash, D.B. (2005). A general method for morphologic dating of hillslopes. *Geology*, 33(8) 693-695. <https://doi.org/10.1130/G21479AR.1>
- Nash, D. B. (1986). Morphologic dating and modeling degradation of fault scarps. *Active tectonics: Impact on Society*, Chapter 12, 181-194. <https://nap.nationalacademies.org/read/624/chapter/14>
- Newmann, J.R. (2019). Structural Evolution of an Extensional Terrane Margin: Case Studies from the Colorado Extensional Corridor, Southeastern California, USA. [M.Sc. thesis]: UC Santa Barbara. <https://doi.org/10.13140/RG.2.2.34602.24005>
- Osborn G. (2024). Recognition of crustal extension in the Basin and Range Province: A history. *Geosphere*, 20(5), 1247-1275 <https://doi.org/10.1130/GES02758.1>
- Payne, S.J., McCaffrey, R., & Kattenhorn, S.A. (2013). Extension-driven right-lateral shear in the Centennial shear zone adjacent to the eastern Snake River Plain, Idaho. *Lithosphere*, 5(4) 407-419. <https://doi.org/10.1130/L200.1>
- Pérouse, E., & Wernicke, B.P. (2017). Spatiotemporal evolution of fault slip rates in deforming continents: The case of the Great Basin region, northern Basin and Range province. *Geosphere*, 13(1), 112-135. <https://doi.org/10.1130/GES01295.1>
- Pierce, K.L. (2003). Pleistocene glaciations of the Rocky Mountains. *Developments in Quaternary Sciences*, 1, 63-76. [https://doi.org/10.1016/S1571-0866\(03\)01004-2](https://doi.org/10.1016/S1571-0866(03)01004-2)
- Pierce, K.L., & Colman, S.M. (1986). Effect of height and orientation (microclimate) on geomorphic degradation rates and processes, late-glacial terrace scarps in central Idaho.

- Geological Society of America Bulletin*, 97(7), 869-885. [https://doi.org/10.1130/0016-7606\(1986\)97<869:EOHAOM>2.0.CO;2](https://doi.org/10.1130/0016-7606(1986)97<869:EOHAOM>2.0.CO;2)
- Regalla, C. A., Anastasio, D. J., & Pazzaglia, F. J. (2007). Characterization of the Monument Hill fault system and implications for the active tectonics of the Red Rock Valley, Southwestern Montana. *Journal of Structural Geology*, 29(8), 1339-1352. <https://doi.org/10.1016/j.jsg.2007.04.006>
- Schwanghart, W. & Scherler, D. (2014). Short Communication: TopoToolbox 2 – MATLAB-based software for topographic analysis and modeling in Earth surface sciences. *Earth Surface Dynamics*, 2(1)1–7. <https://doi.org/10.5194/esurf-2-1-2014>
- Schwartz, D.P., & Coppersmith, K.J. (1984). Fault behavior and characteristic earthquakes: Examples from the Wasatch and San Andreas Fault Zones. *JGR Solid Earth*. 89(B7), 5681-5698. <https://doi.org/10.1029/JB089iB07p05681>
- Stewart, I.S., & Hanock, P.L. (1990). What is a fault scarp? *Episodes*, 13(4), 256-263. <https://doi.org/10.18814/epiiugs/1990/v13i4/005>
- Stickney, M.C., (1993). Seismicity and focal mechanisms of the central Centennial Tectonic Belt, southwestern Montana and east-central Idaho. *Geological Society of America, Abstract with Programs*, 25(5). <https://www.osti.gov/biblio/5022779>
- Stickney, M.C., & Bartholomew, M.J. (1987). Seismicity and late Quaternary faulting of the northern basin and range province, Montana and Idaho. *Bulletin of the Seismological Society of America*, 77(5), 1602-1625. <https://doi.org/10.1785/BSSA0770051602>
- Stirling, M., Rhoades, D., & Berryman, K. (2002). Comparison of Earthquake Scaling Relations Derived from Data of the Instrumental and Preindustrial Era. *Bulletin of the Seismological Society of America*, 92(2), 812-830. <https://doi.org/10.1785/0120000221>
- Thackray, G.D., Rodgers, D.W., & Streutker, D. (2013). Holocene scarp on the Sawtooth fault, central Idaho, USA, documented through lidar topographic analysis. *Geology*, 41(6), 639-642. <https://doi.org/10.1130/G34095.1>
- Wells, D.L., & Coppersmith, K. J. (1994). New Empirical Relationships among Magnitude, Rupture Length, Rupture Width, Rupture Area, and Surface Displacement. *Bulletin of the Seismological Society of America*, 84(4), 974-1002. <https://doi.org/10.1785/BSSA0840040974>

- Wesnousky, S.G. (2008). Displacement and Geometrical Characteristics of Earthquake Surface Ruptures: Issues and Implications for Seismic-Hazard Analysis and the Process of Earthquake Rupture. *Bulletin of the Seismological Society of America*, 98(4), 1609-1632. <https://doi.org/10.1785/0120070111>
- Williams, P.L. (1961). Glacial geology of the Stanley Basin: Moscow, Idaho Bureau of Mines and Geology. *Idaho Geological Survey*, P-123. <https://www.idahogeology.org/product/p-123>

## Appendix A

### Surficial Geologic Map and Unit Descriptions

**[Qal]** *Alluvium*: Organic rich, dark brown soil. Silt-medium sand grain size. Matrix-supported. Some well-sorted, rounded-sub rounded pebbles, 0.5cm-2cm. Found in active stream channels.

**[Qls]** *Landslide*: Silt-coarse sand grain size. Poorly-sorted, angular clasts. Found along bedrock slopes.

**[Qaf]** *Alluvial Fan*: Tan to light brown color. Silt-coarse sand grain size. Clast-supported. Granitic, moderately well-sorted, sub rounded-sub angular pebbles, 0.5cm-1cm with a few cobbles up to 20 cm. Some boulders, less than 1m with the average being 0.25-0.5m. Grain size fines and is more matrix-supported towards the lower drainage area.

**[Qdf]** *Debris Flow*: Silt-coarse sand grain size. Poorly-sorted, sub rounded to angular clasts. Found in stream channels.

**[Qt4]** *Terrace 4*: Darker brown color. Silt-coarse sand grain size. Matrix-supported. Moderately well-sorted, rounded pebbles and cobbles, 0.5cm-10cm. Some boulders, 0.25m-0.3m.

**[Qt3]** *Terrace 3*: Moderate brown color. Silt-coarse sand grain size. Matrix-supported. Moderately-poorly sorted, sub rounded-rounded pebbles, 0.5cm-5cm. Well-sorted boulders, 0.25m-0.5m.

**[Qt2]** *Terrace 2*: Moderate-dark brown color. Silt-coarse sand grain size. Matrix-supported. Well-sorted, sub rounded pebbles, 0.5cm-2cm. Few boulders, 0.25m-0.3m

**[Qt1]** *Terrace 1*: Moderate brown color. Silt-medium sand grain size. Matrix-supported. Many moderately well-sorted, sub rounded pebbles, 0.5cm-5cm. Scattered boulders less than 1.5m.

**[Qcl]** *Colluvium*: Light brown color. Silt-coarse sand grain size. Matrix-supported. Moderately well-sorted, angular, 0.5cm-5cm pebbles.

**[Qc]** *Colluvium Overlying Bedrock*: Colluvium (Qcl) overlying bedrock (Bdr) hillslopes.

**[Qpo]** *Pinedale Outwash*: Moderate-dark brown color. Silt-medium sand grain size. Clast-supported. Well-sorted, sub angular-sub rounded pebbles, 0.5cm-3cm. Few boulders, 0.5m-1.5m.

**[Qpt]** *Pinedale Moraine*: Tan-light brown color. Silt-coarse sand grain size. Matrix-supported. Poorly-sorted, sub angular-sub rounded pebbles, 1cm-6cm. Scattered boulders with pink-coloring, 0.5m-1.5m.

**[Qbo]** *Bull Lake Outwash*: Moderate brown color. Fine-medium sand grain size. Matrix-supported. Moderately-poorly sorted, sub rounded pebbles, 1cm-5cm. Isolated boulders, 0.5m-1m.

**[Qpt]** *Bull Lake Moraine*: Moderate brown and dark gray color. Silt-coarse sand grain size. Matrix-supported. Poorly sorted, sub angular pebbles, 1cm-5cm. Sub angular boulders 0.25m-0.3m with a few 1m boulders.

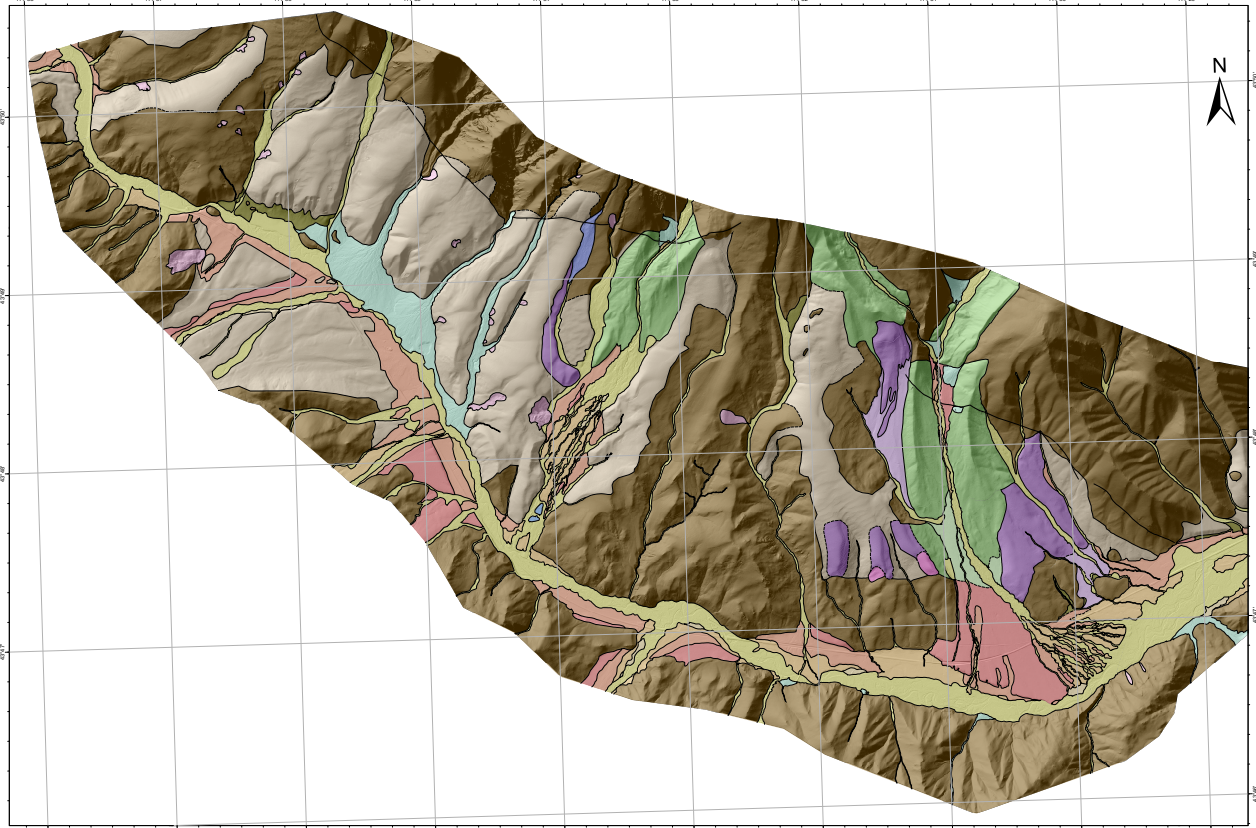
**[QTg]** *Tertiary Gravel*: Tan to light brown color. Silt-coarse sand grain size. Clast-supported. Poorly sorted, sub rounded-rounded pebbles and cobbles, 1-15cm. Few boulders, 0.3m-0.5m.

**[Bedrock]** *Bedrock*: Bedrock is not differentiated on the map for this project. Tertiary igneous rocks (Eocene): Challis Volcanic Group and Intrusive rocks (granite, rhyolite porphyry, dacite porphyry and granodiorite). Paleozoic sedimentary rock (Lower Permian to Middle Pennsylvanian): Wood River Formation, Eagle Creek Member (Link et al., 1995).

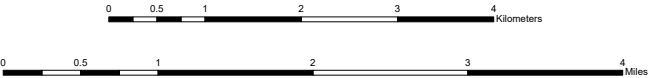
# Surficial Geologic Map of Parts of the Easley Hot Springs and Amber Lakes 7.5' Quadrangles, Idaho

Principal Field Mapper: Sedona Boyle  
 Field Assistant: Tabitha Nowak  
 Lehigh University, Bethlehem, PA

2024



Scale: 1:24,000



Faculty Advisors: Dr. David Anastasio (Lehigh University) and Dr. Claudio Berti (Idaho Geological Survey and the University of Idaho)  
 Fieldwork conducted 2023-2024.  
 This surficial map was funded by the EDMAP Program of the National Cooperative Geologic Mapping Program of the U.S. Geological Survey under Grant Number: G22AC00177-00.

Map Symbols		
—	Fault	—
—	Inferred Fault	—
—	Contact	—
—	Buried Fault	—
—	Contact	—
—	Inferred Contact	—

Surficial Units		
<b>Lake</b>	Water feature.	
<b>Qal</b>	Alluvium: Organic rich, dark brown soil. Silt-medium sand grain size. Matrix-supported. Some well-sorted, rounded-sub rounded pebbles, 0.5cm-2cm. Found in active stream channels.	<b>Qcl</b>
<b>Qls</b>	Landslide: Silt-coarse sand grain size. Poorly-sorted, angular clasts. Found along bedrock slopes.	<b>Qc</b>
<b>Qaf</b>	Alluvial Fan: Tan to light brown color. Silt-coarse sand grain size. Clast-supported. Granitic, moderately well-sorted, sub rounded-sub angular pebbles, 0.5cm-1cm with a few cobbles up to 20cm. Some boulders, less than 1m with the average being 0.25cm-0.5m. Grain size fines and is more matrix-supported towards the lower drainage area.	<b>Qpo</b>
<b>Qdf</b>	Debris Flow: Silt-coarse sand grain size. Poorly-sorted, sub rounded to angular clasts. Found in stream channels.	<b>Qpt</b>
<b>Qt4</b>	Terrace 4: Darker brown color. Silt-coarse sand grain size. Matrix-supported. Moderately well-sorted, rounded pebbles and cobbles, 0.5cm-10cm. Some boulders, 0.25m-0.3m.	<b>Qbo</b>
<b>Qt3</b>	Terrace 3: Moderate brown color. Silt-coarse sand grain size. Matrix-supported. Moderately poorly sorted, sub rounded-rounded pebbles, 0.5cm-5cm. Well-sorted boulders, 0.25m-0.5m.	<b>Qbt</b>
<b>Qt2</b>	Terrace 2: Moderate-dark brown color. Silt-coarse sand grain size. Matrix-supported. Well-sorted, sub rounded pebbles, 0.5cm-2cm. Few boulders, 0.25m-0.3m.	<b>Qtg</b>
<b>Qt1</b>	Terrace 1: Moderate brown color. Silt-medium sand grain size. Matrix-supported. Many moderately well-sorted, sub rounded pebbles, 0.5cm-5cm. Scattered boulders less than 1.5m.	<b>Bedrock</b>
	Colluvium: Light brown color. Silt-coarse sand grain size. Matrix-supported. Moderately well-sorted, angular, 0.5cm-5cm pebbles.	
	Colluvium (Qcl) overlying bedrock hillslopes.	
	Pinedale Outwash: Moderate-dark brown color. Silt-medium sand grain size. Clast-supported. Well-sorted, sub angular-sub rounded pebbles, 0.5cm-3cm. Few boulders, 0.5m-1.5m.	
	Pinedale Moraine: Tan-light brown color. Silt-coarse sand grain size. Matrix-supported. Poorly-sorted, sub angular-sub rounded pebbles, 1cm-6cm. Scattered boulders with pink coloring, 0.5m-1.5m.	
	Bull Lake Outwash: Moderate brown color. Silt-medium sand grain size. Matrix-supported. Moderately poorly sorted, sub rounded pebbles, 1cm-5cm. Isolated boulders, 0.5m-1m.	
	Bull Lake Moraine: Moderate brown and dark gray color. Silt-coarse sand grain size. Matrix-supported. Poorly sorted, sub angular pebbles, 1cm-5cm. Sub angular boulders, 0.25m-0.3m, with a few 1m boulders.	
	Tertiary Gravel: Tan to light brown color. Silt-coarse sand grain size. Clast-supported. Poorly-sorted, sub rounded-rounded pebbles and cobbles, 1-15cm. Few boulders, 0.3m-0.5m.	
	Bedrock is not differentiated on the map for this project. Tertiary igneous rocks (Eocene). Challis Volcanic Group and intrusive rocks (granite, rhyolite porphyry, dacite porphyry and granodiorite) Paleozoic sedimentary rocks (Lower Permian-Middle Pennsylvanian): Wood River Formation, Eagle Creek Member.	

## **Appendix B**

### Radiocarbon Data

The results of the radiocarbon dating from Beta Analytic Testing Laboratory are attached below and include the conventional radiocarbon age and the calibration of the radiocarbon age to calendar years.



**Beta Analytic**<sup>®</sup>  
TESTING LABORATORY

**Beta Analytic, Inc.**  
4985 SW 74<sup>th</sup> Court  
Miami, FL 33155 USA  
Tel: 305-667-5167  
Fax: 305-663-0964  
[info@betalabservices.com](mailto:info@betalabservices.com)

ISO/IEC 17025:2017-Accredited Testing Laboratory

## REPORT OF RADIOCARBON DATING ANALYSES

Claudio Berti  
Idaho Geological Survey

Report Date: July 01, 2024  
Material Received: June 20, 2024

Laboratory Number	Sample Code Number	Conventional Radiocarbon Age (BP) or Percent Modern Carbon (pMC) & Stable Isotopes
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<b>Beta - 700029</b>	<b>23CB002</b>	<b>1190 +/- 30 BP</b> IRMS δ13C: -23.4 o/oo
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(87.9%)	<b>770 - 896 cal AD</b>	<b>(1180 - 1054 cal BP)</b>
( 5.8%)	<b>922 - 952 cal AD</b>	<b>(1028 - 998 cal BP)</b>
( 1.6%)	<b>708 - 722 cal AD</b>	<b>(1242 - 1228 cal BP)</b>

Submitter Material: Charcoal  
 Pretreatment: (charred material) acid/alkali/acid  
 Analyzed Material: Charred material  
 Analysis Service: AMS-Standard delivery  
 Percent Modern Carbon: 86.23 +/- 0.32 pMC  
 Fraction Modern Carbon: 0.8623 +/- 0.0032  
 D14C: -137.69 +/- 3.22 o/oo  
 Δ14C: -145.37 +/- 3.22 o/oo (1950:2024)  
 Measured Radiocarbon Age: (without d13C correction): 1160 +/- 30 BP  
 Calibration: BetaCal5.0: HPD method: INTCAL20

Results are ISO/IEC-17025:2017 accredited. No sub-contracting or student labor was used in the analyses. All work was done at Beta in 4 in-house NEC accelerator mass spectrometers and 4 Thermo IRMSs. The "Conventional Radiocarbon Age" was calculated using the Libby half-life (5568 years), is corrected for total isotopic fraction and was used for calendar calibration where applicable. The Age is rounded to the nearest 10 years and is reported as radiocarbon years before present (BP), "present" = AD 1950. Results greater than the modern reference are reported as percent modern carbon (pMC). The modern reference standard was 95% the 14C signature of NIST SRM-4990C (oxalic acid). Quoted errors are 1 sigma counting statistics. Calculated sigmas less than 30 BP on the Conventional Radiocarbon Age are conservatively rounded up to 30. d13C values are on the material itself (not the AMS d13C). d13C and d15N values are relative to VPDB. References for calendar calibrations are cited at the bottom of calibration graph pages.

BetaCal 5.0

## Calibration of Radiocarbon Age to Calendar Years

(High Probability Density Range Method (HPD): INTCAL20)

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(Variables:  $\delta^{13}\text{C} = -23.4$  o/oo)

**Laboratory number**    **Beta-700029**

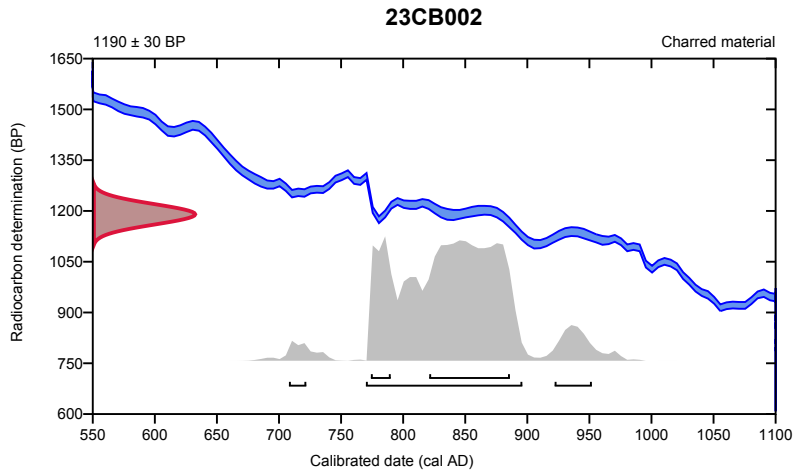
**Conventional radiocarbon age**    **1190 ± 30 BP**

95.4% probability

(87.9%)	770 - 896 cal AD	(1180 - 1054 cal BP)
(5.8%)	922 - 952 cal AD	(1028 - 998 cal BP)
(1.6%)	708 - 722 cal AD	(1242 - 1228 cal BP)

68.2% probability

(54.4%)	821 - 886 cal AD	(1129 - 1064 cal BP)
(13.8%)	774 - 790 cal AD	(1176 - 1160 cal BP)



**Database used**  
INTCAL20

### References

#### References to Probability Method

Bronk Ramsey, C. (2009). Bayesian analysis of radiocarbon dates. *Radiocarbon*, 51(1), 337-360.

#### References to Database INTCAL20

Reimer, et al., 2020, *Radiocarbon* 62(4):725-757.

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### Beta Analytic Radiocarbon Dating Laboratory

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Page 7 of 9



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ISO/IEC 17025:2017-Accredited Testing Laboratory

## REPORT OF RADIOCARBON DATING ANALYSES

Claudio Berti  
Idaho Geological Survey

Report Date: July 01, 2024  
Material Received: June 20, 2024

Laboratory Number	Sample Code Number	Conventional Radiocarbon Age (BP) or Percent Modern Carbon (pMC) & Stable Isotopes
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<b>Beta - 700030</b>	<b>23CB003</b>	<b>4020 +/- 30 BP</b> IRMS δ13C: -20.7 o/oo
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<b>(90.4%)</b>	<b>2584 - 2467 cal BC</b>	<b>(4533 - 4416 cal BP)</b>
<b>( 5.0%)</b>	<b>2622 - 2599 cal BC</b>	<b>(4571 - 4548 cal BP)</b>

Submitter Material: Charcoal  
 Pretreatment: (charred material) acid/alkali/acid  
 Analyzed Material: Charred material  
 Analysis Service: AMS-Standard delivery  
 Percent Modern Carbon: 60.63 +/- 0.23 pMC  
 Fraction Modern Carbon: 0.6063 +/- 0.0023  
 D14C: -393.74 +/- 2.26 o/oo  
 Δ14C: -399.14 +/- 2.26 o/oo (1950:2024)  
 Measured Radiocarbon Age: (without d13C correction): 3950 +/- 30 BP  
 Calibration: BetaCal5.0: HPD method: INTCAL20

Results are ISO/IEC-17025:2017 accredited. No sub-contracting or student labor was used in the analyses. All work was done at Beta in 4 in-house NEC accelerator mass spectrometers and 4 Thermo IRMSs. The "Conventional Radiocarbon Age" was calculated using the Libby half-life (5568 years), is corrected for total isotopic fraction and was used for calendar calibration where applicable. The Age is rounded to the nearest 10 years and is reported as radiocarbon years before present (BP), "present" = AD 1950. Results greater than the modern reference are reported as percent modern carbon (pMC). The modern reference standard was 95% the 14C signature of NIST SRM-4990C (oxalic acid). Quoted errors are 1 sigma counting statistics. Calculated sigmas less than 30 BP on the Conventional Radiocarbon Age are conservatively rounded up to 30. d13C values are on the material itself (not the AMS d13C). d13C and d15N values are relative to VPDB. References for calendar calibrations are cited at the bottom of calibration graph pages.

BetaCal 5.0

## Calibration of Radiocarbon Age to Calendar Years

(High Probability Density Range Method (HPD): INTCAL20)

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(Variables:  $\delta^{13}\text{C} = -20.7$  o/oo)

**Laboratory number**    **Beta-700030**

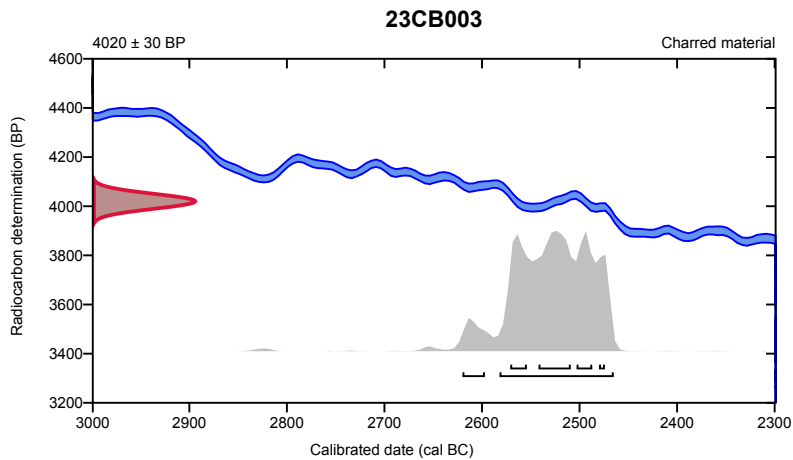
**Conventional radiocarbon age**    **4020  $\pm$  30 BP**

95.4% probability

(90.4%)	2584 - 2467 cal BC	(4533 - 4416 cal BP)
(5%)	2622 - 2599 cal BC	(4571 - 4548 cal BP)

68.2% probability

(32.1%)	2544 - 2511 cal BC	(4493 - 4460 cal BP)
(15.8%)	2573 - 2556 cal BC	(4522 - 4505 cal BP)
(15.4%)	2505 - 2489 cal BC	(4454 - 4438 cal BP)
(5%)	2482 - 2476 cal BC	(4431 - 4425 cal BP)



**Database used**  
INTCAL20

### References

**References to Probability Method**

Bronk Ramsey, C. (2009). Bayesian analysis of radiocarbon dates. *Radiocarbon*, 51(1), 337-360.

**References to Database INTCAL20**

Reimer, et al., 2020, *Radiocarbon* 62(4):725-757.

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Page 8 of 9



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## REPORT OF RADIOCARBON DATING ANALYSES

Claudio Berti  
Idaho Geological Survey

Report Date: July 01, 2024  
Material Received: June 20, 2024

Laboratory Number	Sample Code Number	Conventional Radiocarbon Age (BP) or Percent Modern Carbon (pMC) & Stable Isotopes
-------------------	--------------------	---

<b>Beta - 700031</b>	<b>23CB004</b>	<b>1190 +/- 30 BP</b> IRMS δ13C: -26.2 o/oo
----------------------	----------------	---

(87.9%)	<b>770 - 896 cal AD</b>	<b>(1180 - 1054 cal BP)</b>
( 5.8%)	<b>922 - 952 cal AD</b>	<b>(1028 - 998 cal BP)</b>
( 1.6%)	<b>708 - 722 cal AD</b>	<b>(1242 - 1228 cal BP)</b>

Submitter Material: Charcoal  
 Pretreatment: (charred material) acid/alkali/acid  
 Analyzed Material: Charred material  
 Analysis Service: AMS-Standard delivery  
 Percent Modern Carbon: 86.23 +/- 0.32 pMC  
 Fraction Modern Carbon: 0.8623 +/- 0.0032  
 D14C: -137.69 +/- 3.22 o/oo  
 Δ14C: -145.37 +/- 3.22 o/oo (1950:2024)  
 Measured Radiocarbon Age: (without d13C correction): 1210 +/- 30 BP  
 Calibration: BetaCal5.0: HPD method: INTCAL20

Results are ISO/IEC-17025:2017 accredited. No sub-contracting or student labor was used in the analyses. All work was done at Beta in 4 in-house NEC accelerator mass spectrometers and 4 Thermo IRMSs. The "Conventional Radiocarbon Age" was calculated using the Libby half-life (5568 years), is corrected for total isotopic fraction and was used for calendar calibration where applicable. The Age is rounded to the nearest 10 years and is reported as radiocarbon years before present (BP), "present" = AD 1950. Results greater than the modern reference are reported as percent modern carbon (pMC). The modern reference standard was 95% the 14C signature of NIST SRM-4990C (oxalic acid). Quoted errors are 1 sigma counting statistics. Calculated sigmas less than 30 BP on the Conventional Radiocarbon Age are conservatively rounded up to 30. d13C values are on the material itself (not the AMS d13C). d13C and d15N values are relative to VPDB. References for calendar calibrations are cited at the bottom of calibration graph pages.

BetaCal 5.0

## Calibration of Radiocarbon Age to Calendar Years

(High Probability Density Range Method (HPD): INTCAL20)

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(Variables:  $\delta^{13}C = -26.2$  o/oo)

Laboratory number **Beta-700031**

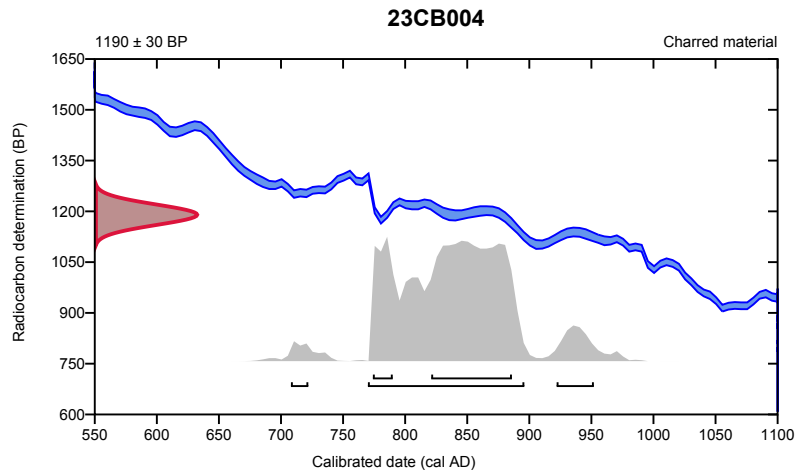
Conventional radiocarbon age **1190 ± 30 BP**

95.4% probability

(87.9%)	770 - 896 cal AD	(1180 - 1054 cal BP)
(5.8%)	922 - 952 cal AD	(1028 - 998 cal BP)
(1.6%)	708 - 722 cal AD	(1242 - 1228 cal BP)

68.2% probability

(54.4%)	821 - 886 cal AD	(1129 - 1064 cal BP)
(13.8%)	774 - 790 cal AD	(1176 - 1160 cal BP)



**Database used**  
INTCAL20

### References

**References to Probability Method**

Bronk Ramsey, C. (2009). Bayesian analysis of radiocarbon dates. *Radiocarbon*, 51(1), 337-360.

**References to Database INTCAL20**

Reimer, et al., 2020, *Radiocarbon* 62(4):725-757.

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Page 9 of 9



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## REPORT OF RADIOCARBON DATING ANALYSES

Claudio Berti  
Idaho Geological Survey

Report Date: July 01, 2024  
Material Received: June 20, 2024

Laboratory Number	Sample Code Number	Conventional Radiocarbon Age (BP) or Percent Modern Carbon (pMC) & Stable Isotopes
-------------------	--------------------	---

<b>Beta - 700028</b>	<b>23CB001</b>	<b>2180 +/- 30 BP</b> IRMS δ13C: -20.4 o/oo
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<b>(94.3%)</b>	<b>364 - 150 cal BC</b>	<b>(2313 - 2099 cal BP)</b>
<b>( 1.1%)</b>	<b>131 - 121 cal BC</b>	<b>(2080 - 2070 cal BP)</b>

Submitter Material: Charcoal  
Pretreatment: (charred material) acid/alkali/acid  
Analyzed Material: Charred material  
Analysis Service: AMS-Standard delivery  
Percent Modern Carbon: 76.23 +/- 0.28 pMC  
Fraction Modern Carbon: 0.7623 +/- 0.0028  
D14C: -237.68 +/- 2.85 o/oo  
Δ14C: -244.47 +/- 2.85 o/oo (1950:2024)  
Measured Radiocarbon Age: (without d13C correction): 2100 +/- 30 BP  
Calibration: BetaCal5.0: HPD method: INTCAL20

Results are ISO/IEC-17025:2017 accredited. No sub-contracting or student labor was used in the analyses. All work was done at Beta in 4 in-house NEC accelerator mass spectrometers and 4 Thermo IRMSs. The "Conventional Radiocarbon Age" was calculated using the Libby half-life (5568 years), is corrected for total isotopic fraction and was used for calendar calibration where applicable. The Age is rounded to the nearest 10 years and is reported as radiocarbon years before present (BP), "present" = AD 1950. Results greater than the modern reference are reported as percent modern carbon (pMC). The modern reference standard was 95% the 14C signature of NIST SRM-4990C (oxalic acid). Quoted errors are 1 sigma counting statistics. Calculated sigmas less than 30 BP on the Conventional Radiocarbon Age are conservatively rounded up to 30. d13C values are on the material itself (not the AMS d13C). d13C and d15N values are relative to VPDB. References for calendar calibrations are cited at the bottom of calibration graph pages.

BetaCal 5.0

## Calibration of Radiocarbon Age to Calendar Years

(High Probability Density Range Method (HPD): INTCAL20)

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(Variables:  $\delta^{13}C = -20.4$  o/oo)

**Laboratory number**    **Beta-700028**

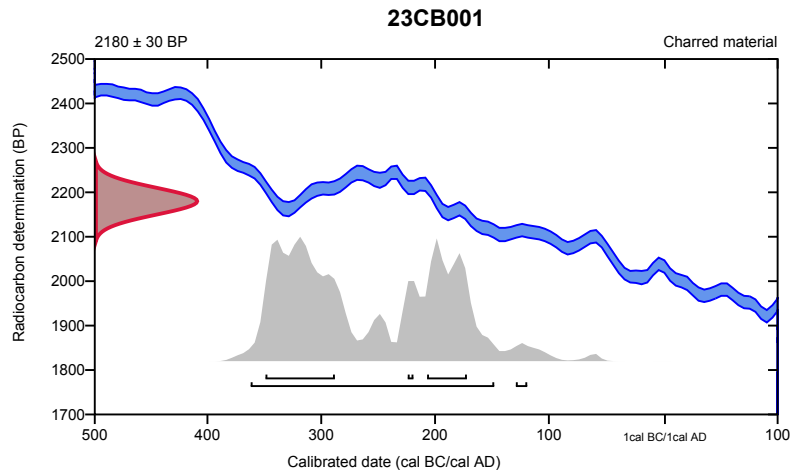
**Conventional radiocarbon age**    **2180 ± 30 BP**

95.4% probability

(94.3%)	364 - 150 cal BC	(2313 - 2099 cal BP)
(1.1%)	131 - 121 cal BC	(2080 - 2070 cal BP)

68.2% probability

(42%)	351 - 290 cal BC	(2300 - 2239 cal BP)
(23.3%)	209 - 174 cal BC	(2158 - 2123 cal BP)
(2.9%)	226 - 221 cal BC	(2175 - 2170 cal BP)



**Database used**  
INTCAL20

### References

**References to Probability Method**

Bronk Ramsey, C. (2009). Bayesian analysis of radiocarbon dates. *Radiocarbon*, 51(1), 337-360.

**References to Database INTCAL20**

Reimer, et al., 2020, *Radiocarbon* 62(4):725-757.

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Page 6 of 9



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## REPORT OF RADIOCARBON DATING ANALYSES

Claudio Berti  
Idaho Geological Survey

Report Date: October 07, 2021  
Material Received: September 22, 2021

Laboratory Number	Sample Code Number	Conventional Radiocarbon Age (BP) or Percent Modern Carbon (pMC) & Stable Isotopes	
Beta - 603712	21CB003	2720 +/- 30 BP	IRMS δ13C: -22.8 o/oo

(95.4%)                      919 - 809 cal BC                      (2868 - 2758 cal BP)

Submitter Material: Organic Sediment/Gyttja  
Pretreatment: (organic sediment) acid washes  
Analyzed Material: Organic sediment  
Analysis Service: AMS-Standard delivery  
Percent Modern Carbon: 71.28 +/- 0.27 pMC  
Fraction Modern Carbon: 0.7128 +/- 0.0027  
D14C: -287.24 +/- 2.66 o/oo  
Δ14C: -293.33 +/- 2.66 o/oo (1950:2021)  
Measured Radiocarbon Age: (without d13C correction): 2680 +/- 30 BP  
Calibration: BetaCal4.20: HPD method: INTCAL20

Results are ISO/IEC-17025:2017 accredited. No sub-contracting or student labor was used in the analyses. All work was done at Beta in 4 in-house NEC accelerator mass spectrometers and 4 Thermo IRMSs. The "Conventional Radiocarbon Age" was calculated using the Libby half-life (5568 years), is corrected for total isotopic fraction and was used for calendar calibration where applicable. The Age is rounded to the nearest 10 years and is reported as radiocarbon years before present (BP), "present" = AD 1950. Results greater than the modern reference are reported as percent modern carbon (pMC). The modern reference standard was 95% the 14C signature of NIST SRM-4990C (oxalic acid). Quoted errors are 1 sigma counting statistics. Calculated sigmas less than 30 BP on the Conventional Radiocarbon Age are conservatively rounded up to 30. d13C values are on the material itself (not the AMS d13C). d13C and d15N values are relative to VPDB. References for calendar calibrations are cited at the bottom of calibration graph pages.

BetaCal 4.20

## Calibration of Radiocarbon Age to Calendar Years

(High Probability Density Range Method (HPD): INTCAL20)

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(Variables:  $\delta^{13}\text{C} = -22.8$  o/oo)

**Laboratory number**    **Beta-603712**

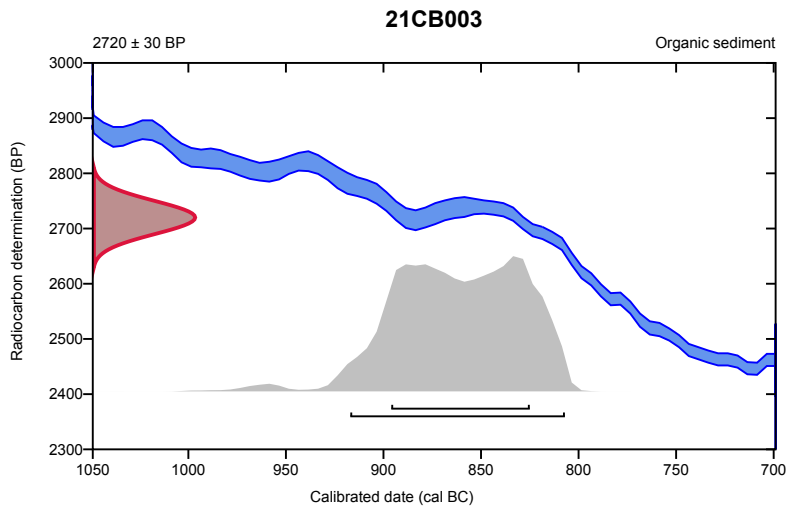
**Conventional radiocarbon age**    **2720  $\pm$  30 BP**

95.4% probability

(95.4%)    919 - 809 cal BC            (2868 - 2758 cal BP)

68.2% probability

(68.2%)    898 - 827 cal BC            (2847 - 2776 cal BP)



**Database used**  
INTCAL20

### References

**References to Probability Method**

Bronk Ramsey, C. (2009). Bayesian analysis of radiocarbon dates. *Radiocarbon*, 51(1), 337-360.

**References to Database INTCAL20**

Reimer, et al., 2020, *Radiocarbon* 62(4):725-757.

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Page 5 of 5



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## REPORT OF RADIOCARBON DATING ANALYSES

Claudio Berti  
Idaho Geological Survey

Report Date: October 07, 2021  
Material Received: September 22, 2021

Laboratory Number	Sample Code Number	Conventional Radiocarbon Age (BP) or Percent Modern Carbon (pMC) & Stable Isotopes	
Beta - 603711	21CB002	3190 +/- 30 BP	IRMS δ13C: -22.2 o/oo

(95.4%)      1507 - 1415 cal BC      (3456 - 3364 cal BP)

Submitter Material: Charcoal  
Pretreatment: (charred material) acid/alkali/acid  
Analyzed Material: Charred material  
Analysis Service: AMS-Standard delivery  
Percent Modern Carbon: 67.23 +/- 0.25 pMC  
Fraction Modern Carbon: 0.6723 +/- 0.0025  
D14C: -327.74 +/- 2.51 o/oo  
Δ14C: -333.49 +/- 2.51 o/oo (1950:2021)  
Measured Radiocarbon Age: (without d13C correction): 3140 +/- 30 BP  
Calibration: BetaCal4.20: HPD method: INTCAL20

Results are ISO/IEC-17025:2017 accredited. No sub-contracting or student labor was used in the analyses. All work was done at Beta in 4 in-house NEC accelerator mass spectrometers and 4 Thermo IRMSs. The "Conventional Radiocarbon Age" was calculated using the Libby half-life (5568 years), is corrected for total isotopic fraction and was used for calendar calibration where applicable. The Age is rounded to the nearest 10 years and is reported as radiocarbon years before present (BP), "present" = AD 1950. Results greater than the modern reference are reported as percent modern carbon (pMC). The modern reference standard was 95% the 14C signature of NIST SRM-4990C (oxalic acid). Quoted errors are 1 sigma counting statistics. Calculated sigmas less than 30 BP on the Conventional Radiocarbon Age are conservatively rounded up to 30. d13C values are on the material itself (not the AMS d13C). d13C and d15N values are relative to VPDB. References for calendar calibrations are cited at the bottom of calibration graph pages.



## Appendix C

### Profile Data

Profile data for single slip and continuous slip diffusion modeling. Initial slope is set at 35°. Diffusion coefficient was modeled for  $1.26 \times 10^{-3} \text{m}^2/\text{yr}$  and  $2.09 \times 10^{-3} \text{m}^2/\text{yr}$ . Half-slip rates were set at 0.10 mm/yr, 0.13 mm/yr and 0.16 mm/yr,

Profile	Half Offset (m)	Amount of Slip (m)	Scarp Slope (°)	Regional Slope (°)
1	2.20	4.40	35	7
2	2.80	5.60	34	7
3	2.30	4.60	N/A	5
4	0.37	0.74	16	3
5	2.50	5.00	27	9
6	2.08	4.16	15	12
7	2.95	5.90	N/A	5

### Profile 1

0 2205.715  
2.525240583 2205.922  
5.09335273 2206.024  
7.241878271 2206.167  
9.3659689 2206.307  
11.414791 2206.522  
13.85318391 2206.68  
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## Profile 2

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15.38715858 2210.844  
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66.01666323 2219.334  
71.99834611 2219.734  
74.69217313 2220.171

76.85926265 2220.379  
81.08739994 2220.649  
84.22804478 2220.936  
86.11438542 2220.954  
88.25416905 2221.024  
90.25005507 2221.146  
93.02710045 2221.367  
97.27200386 2221.659

### Profile 3

0 2208.325  
2.781261765 2208.571  
7.174054157 2208.932  
10.19131931 2209.11  
12.55501557 2209.25  
15.93761176 2209.454  
18.76598408 2209.642  
21.36104555 2209.845  
24.11906549 2210.006  
26.85862257 2210.192  
29.50710931 2210.412  
31.71794806 2210.536  
34.4690413 2210.775  
36.49502378 2211.028  
38.66428402 2211.338  
40.19749796 2211.488  
41.48490505 2211.624  
42.53794351 2211.833  
43.42546816 2212.03  
44.25754087 2212.137  
45.1269004 2212.252  
45.82795818 2212.356  
46.49518003 2212.532  
47.3567414 2212.743  
50.63799299 2213.466  
51.49110787 2213.58  
52.55629565 2213.732  
53.83472164 2214.149  
54.20744808 2214.287  
54.68803314 2214.522  
55.18589356 2214.75  
56.00061928 2215.259  
56.92371678 2215.577  
57.65410435 2215.786  
58.3450783 2215.923  
59.01579806 2216.051  
60.05979806 2216.249  
61.07385773 2216.386  
62.13917693 2216.572  
63.00544767 2216.588  
63.79157043 2216.626  
65.58658046 2216.791  
67.80748681 2216.92

69.5441091 2216.993  
71.34320693 2217.144  
72.83789118 2217.25  
74.81423984 2217.396  
76.32399081 2217.493  
78.31152194 2217.65  
80.6401825 2217.825  
82.94356479 2217.982  
84.61680178 2218.106  
86.50378137 2218.321  
88.58173445 2218.548  
90.62417662 2218.623  
92.52888657 2218.705  
94.65738017 2218.946  
96.98372193 2219.053  
98.4527495 2219.181  
102.661921 2219.483  
105.6647574 2219.743  
108.3143862 2220.038  
110.4828774 2220.217  
114.6119592 2220.553  
117.3184588 2220.835  
120.2107064 2221.051  
123.1084811 2221.286  
125.1635324 2221.453

#### Profile 4

0 2206.782  
21.6898 2208.026  
23.73656574 2208.183  
25.44305453 2208.293  
28.18213212 2208.426  
29.75794207 2208.544  
31.15897597 2208.623  
33.24514806 2208.787  
48.89931212 2209.378  
50.73541233 2209.639  
57.11463995 2210.35  
59.57839258 2210.754  
64.28449075 2210.991  
65.96329568 2211.065  
84.62004461 2212.106  
85.45244175 2212.164  
86.63345911 2212.291  
88.8374666 2212.374  
90.90845211 2212.522  
92.48688995 2212.738  
93.79917802 2212.804  
95.47190544 2212.923

## Profile 5

0	2247.74
2.292289031	2247.921
4.674831581	2247.873
6.722259478	2247.893
9.010693441	2248.091
11.06224139	2248.213
13.41342003	2248.33
15.43263374	2248.538
17.02429859	2248.7
19.14069222	2248.74
20.72702447	2248.872
22.51744928	2249.046
24.74958929	2249.375
26.43260384	2249.587
28.74457789	2249.735
30.72108112	2249.888
32.26924422	2249.942
34.24748309	2250.172
35.6822531	2250.373
37.43165414	2250.542
38.58666107	2250.706
40.1660828	2251.069
41.25383369	2251.201
42.7048268	2251.568
43.33074772	2251.699
43.87690246	2251.776
44.37826959	2251.898
44.76683747	2252.03
45.1658475	2252.158
45.51371529	2252.296
46.04341332	2252.511
46.47176131	2252.768
47.30641692	2253.019
47.87772157	2253.183
48.23775629	2253.314
48.80233135	2253.521
49.33099476	2253.907
50.02886079	2254.152
50.42391649	2254.248
51.41006303	2254.631
52.02019826	2254.731
52.54991611	2254.847
52.98236264	2254.979
53.64632423	2255.129
54.17335839	2255.213

54.68391201 2255.389  
55.41013029 2255.567  
56.15708478 2255.646  
56.93542275 2255.767  
57.66295076 2255.864  
58.48095626 2256.076  
59.06107435 2256.122  
59.69240707 2256.23  
60.2756463 2256.271  
60.99468037 2256.389  
61.67169219 2256.504  
62.65069015 2256.645  
63.41278463 2256.729  
65.07176413 2257.058  
66.28345551 2257.256  
67.33056296 2257.367  
68.35359424 2257.475  
70.0368209 2257.697  
71.40085976 2257.996  
73.41007378 2258.365  
74.24753721 2258.442  
75.07598939 2258.663

## Profile 6

0 2286.001  
1.368073828 2286.384  
2.165672725 2286.61  
3.247405132 2286.942  
4.321440513 2287.183  
5.69778531 2287.533  
7.080145973 2287.836  
8.365301216 2288.126  
9.585218016 2288.458  
10.69204818 2288.751  
11.82203092 2289.007  
12.7888701 2289.26  
14.09659675 2289.563  
15.20312691 2289.875  
16.42034054 2290.182  
17.68320909 2290.507  
18.76850445 2290.841  
19.92982137 2291.124  
21.07168389 2291.436  
22.40219131 2291.749  
23.57719514 2292.079  
25.14690976 2292.359  
26.31753694 2292.675  
27.75977548 2292.999  
28.95990256 2293.234  
30.02406655 2293.448  
31.75650212 2293.711  
32.80479311 2293.952

33.82657831 2294.208  
34.83298827 2294.419  
36.0194574 2294.668  
36.62475484 2294.818  
37.15372365 2294.93  
38.01945398 2295.085  
38.65379301 2295.241  
39.9959383 2295.519  
41.00918112 2295.708  
41.99963556 2295.984  
42.78253849 2296.144  
44.04024315 2296.21  
44.64609461 2296.436  
45.47267613 2296.648  
45.98610577 2296.739  
46.54707814 2296.959  
47.17384445 2297.12  
47.63102931 2297.304  
48.24173792 2297.551  
48.98337462 2297.665  
49.71397711 2297.912  
50.14062568 2298.075  
50.72559833 2298.285  
51.2870892 2298.398  
51.60853593 2298.522  
51.96606215 2298.674  
52.4184171 2298.864  
53.00943064 2299.013  
53.47512152 2299.182  
53.88522029 2299.262  
54.35776764 2299.41  
55.04368673 2299.63  
55.41852003 2299.822  
55.65000221 2299.938  
56.05278379 2300.047  
56.5091926 2300.175  
56.94119375 2300.348  
57.33260786 2300.472  
57.94785577 2300.792  
58.33044955 2300.901  
58.78467087 2301.111  
59.18832666 2301.207  
59.6745005 2301.307  
60.07182782 2301.459  
60.51725458 2301.662  
61.20038048 2301.802  
61.62722237 2301.947  
62.14308767 2302.094  
62.67233241 2302.197  
63.18115556 2302.307  
63.65057648 2302.473  
64.4660469 2302.777  
64.93679949 2302.923  
65.60644417 2303.028

66.16541913 2303.226  
66.67605892 2303.377  
67.18956549 2303.451  
67.70312659 2303.566  
68.1685479 2303.686  
68.60887165 2303.842  
69.0040425 2303.928  
69.50532086 2304.009  
69.89790207 2304.064  
70.57414167 2304.213  
71.04192153 2304.341  
71.48449243 2304.443  
72.02063607 2304.586  
72.49844461 2304.676  
73.31386106 2304.873  
73.92482751 2305.078  
74.85296813 2305.272  
75.92622858 2305.548  
76.99461521 2305.772  
77.90604541 2306.013  
78.73544579 2306.224  
80.21492273 2306.56  
81.45174608 2306.872  
82.80099661 2307.187  
84.25779104 2307.543  
85.58785043 2307.86  
86.82354174 2308.209  
88.91935566 2308.689  
90.52350341 2309.107  
91.83463765 2309.404  
93.33564065 2309.892  
94.87296202 2310.319  
96.53035335 2310.876  
98.74362445 2311.386  
100.4081643 2311.882  
102.0038914 2312.292  
103.3457756 2312.679  
104.9299529 2313.07  
106.2912791 2313.527  
108.1988944 2314.048

## **Profile 7**

0 2207.302  
2.82587986 2207.527  
6.01210427 2207.862  
8.91757308 2208.133  
11.9334625 2208.418  
15.0689798 2208.693  
17.7622672 2208.921  
20.8930283 2209.1  
23.9205319 2209.249  
26.8587642 2209.453

30.0346968	2209.602
32.9421528	2209.769
35.8755852	2210.101
38.8139768	2210.471
41.8791071	2210.822
44.7397508	2211.058
47.7319092	2211.248
50.9356286	2211.573
52.6989646	2211.779
54.6111302	2212.172
56.6346884	2212.339
58.6327775	2212.727
60.6392234	2213.046
62.8804846	2213.254
64.7351288	2213.5
66.4226595	2213.612
68.7244825	2213.853
69.5825204	2214.072
70.5637737	2214.202
71.5376812	2214.37
72.5605058	2214.609
73.4489707	2214.867
74.5654742	2215.289
75.3355268	2215.552
76.5956272	2215.843
77.2770287	2216.109
78.3908065	2216.318
79.4398332	2216.63
80.4163740	2217.045
81.2218137	2217.384
82.0813676	2217.649
82.9254446	2218.108
83.9580772	2218.467
84.8480536	2218.914
85.8395252	2219.082
86.7303686	2219.246
87.8448874	2219.509
88.7484027	2219.636
96.8197962	2220.522
98.8305100	2220.525
107.739466	2220.581
109.853255	2220.619
112.354185	2220.755
114.204718	2220.813
116.827728	2220.925

## Appendix D

### Single Slip Diffusion Model

The single slip diffusion model was originally published in Regalla et al., 2007. It has since been modified with a simulation of the scarp decaying.

```
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%
% Christine Regalla %
% last modified %
% 8/23/21 %
% %
% function [Z, model_Z, model_t, RMS] = scarpdiffusion_modified2 %
% %
% Foward in time cnetered in space, fully implicit, finite difference %
% solution for 1-D diffusion of a topographic scarp. Reads a tab demited %
% text file of topographic profile data, in two columns of x (elevation) %
% and z (elevation) data points. Once text profile is entered once, the %
% profile can be saved as a .mat file and reloaded in subsequent models. %
% Midpoint and regressions through lower and upper surfaces can be %
% chosen graphically or entered numerically. %
% A 'best fit' profile and 'best model age' are determined %
% from a minima RMS fit between observed profile slopes and model slopes %
% %
% Outputs: %
% Z = matrix of Z, for each timestep %
% model_z = best fit model, elevation profile %
% model_t = best fit model age (yrs) %
% RMS = RMS fit for slopes for each model run %
% ru = slope and intercept of regression through lower surface %
% rl = slope and intercept of regression through upper surface %
% ru_l = intersection point between lower fan surface and scarp face %
% rl_i = interdrction point between upper fan surface and scarp face %
% %
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
clear all; close all;
% _____ %
%SET MODEL PARAMETERS%
K = 1.275/1000; %Diffusion consant (m^2/yr)
ALPHA = 35; %inital scarp angle (degrees)
tfinal = 3e4; %total run time in years
dt=50; %timestep
dx = 0.25; %x-interval used to discretize profile
% _____ %

%Convert to radians
ALPHA = tan(ALPHA*pi/180);

qq = (input('Import a) raw profile data (.txt)? or b) processed data file (.mat)? (a or b): ', 's'));
filename = (input('Enter the profile filename, with extension: ', 's'));
if qq == 'a'
    p=dlmread(filename);
    figure
    plot (p(:,1), p(:,2), 'b');
```

```

%REVERSE ORIENTATION OF PROFILE IF RIGHT-FACING
o = (input('Does the scarp face a)left or b)right? (a or b): ', 's'));
if o=='b'
    p2= [[p(2:end,1)-p(1:end-1,1);0], p(:,2)];
    for i=1:size(p,1)
        p3(i,:) = p2(end-i+1, :);
    end
    p2(:,:)=cumsum(p3(:,1)), p3(:,2)];
    p=p2;
end
clf
%}

%DISCRETIZE PROFILE%
x=[ceil(p(1,1)):dx:floor(p(end,1))];
z = interp1(p(:,1), p(:,2), x); %interpolate initial profile over dx
hold on;
h(1) = plot (p(:,1), p(:,2), '.b'); h(2) = plot (x,z, '-k');
xlabel 'Distance Along Profile'; ylabel 'Height';
legend (h, 'Profile points', 'Interpolated Profile', 'Location','SouthEast');

%SELECT MIDPOINT AND REGRESS BOUNDING SURFACES
q = (input('Do you wish to select midpoint and upper, lower surfaces a) graphically or b) by entering numerical
values? (a or b): ', 's'));
h=1; hu=1; hl= 1;
%SELECT MIDPOINT%
a='n';
while a=='n'
    if q=='a'
        disp(' ')
        disp('Select the midpoint of the profile. ')
    end

% workaround text to make the ginput cursur to appear - a big in this
% Matlab version
%pcolor (64*rand(100));
%legend('location','westoutside')
%legend('hide')
%

        midpt = ginput(1);
    elseif q=='b'
        midpt = input('Enter midpoint: [x,z] ');
    end
    %delete(h)
    d = sqrt((x-midpt(1)).^2 + (z-midpt(2)).^2);
    midpt = [x(d==min(d)), z(d==min(d))];
    plot(midpt(1), midpt(2), 'or')
    disp(' '); a=input('Would you like to keep the current midpt? (y/n) ', 's');
end

%SELECT LOWER AND UPPER REGRESSION SURFACES%
a='n';
while a=='n'
    if q=='a'
        disp(' ')
        disp('Select range of points to use for lower surface regression, from left to right. ')
        rl_range = ginput(2);
    elseif q=='b'

```

```

    rl_range = input('Enter bounding points on lower surface: [left_x, left_z; right_x, right_z] ');
end
%delete (hl);
d = sqrt((x-rl_range(1,1)).^2 + (z-rl_range(1,2)).^2);
ind = find (d==min(d));
d = sqrt((x-rl_range(2,1)).^2 + (z-rl_range(2,2)).^2);
ind(2) = find (d==min(d));
rl = polyfit(x(ind(1):ind(2)), z(ind(1):ind(2)), 1);
hl = refline(rl);
disp(' '); a=input('Would you like to keep the regression? (y/n) ', 's');

end
rl_range = [x(ind(1):ind(2)), z(ind(1):ind(2))];

a='n';
while a=='n'
    if q=='a'
        disp(' ')
        disp('Select range of points to use for upper surface regression, from left to right.  ')
        ru_range = ginput(2);
    elseif q=='b'
        ru_range = input('Enter bounding points on upper surface: [left_x, left_z; right_x, right_z] ');
    end
    %delete (hu);
    d = sqrt((x-ru_range(1,1)).^2 + (z-ru_range(1,2)).^2);
    ind = find (d==min(d));
    d = sqrt((x-ru_range(2,1)).^2 + (z-ru_range(2,2)).^2);
    ind(2) = find (d==min(d));
    ru = polyfit(x(ind(1):ind(2)), z(ind(1):ind(2)), 1);
    hu = refline(ru);
    disp(' '); a=input('Would you like to keep the regression? (y/n) ', 's');
end
ru_range = [x(ind(1):ind(2)), z(ind(1):ind(2))];

%CENTER PROFILE
x=x-midpt(1); z = z-midpt(2);
rl_range(:,1) = rl_range(:,1) - midpt(1); rl_range(:,2) = rl_range(:,2) - midpt(2);
ru_range(:,1) = ru_range(:,1) - midpt(1); ru_range(:,2) = ru_range(:,2) - midpt(2);
ru = polyfit(ru_range(:,1), ru_range(:,2), 1);
rl = polyfit(rl_range(:,1), rl_range(:,2), 1);
p(:,1) = p(:,1) - midpt(1); p(:,2) = p(:,2) - midpt(2);
clf; hold on; h(1) = plot (x,z, '-k'); plot(0,0, 'or');

disp(' ')
q = (input('Save processed profile as .mat file? (y/n) ', 's'));
if q=='y'
    name = [input('Enter file name: ', 's'), '.mat'];
    save (name, 'midpt', 'p', 'x', 'z', 'rl_range', 'rl', 'ru_range', 'ru')
end
elseif qq=='b'
    load (filename)
    clf; hold on; h(1) = plot (x,z, '-k'); plot(0,0, 'or');
end
% CALCULATE INITIAL PROFILE
rl_i = [(rl(2)/(ALPHA-rl(1))), (rl(2)/(ALPHA-rl(1)))*ALPHA];
ru_i = [(ru(2)/(ALPHA-ru(1))), (ru(2)/(ALPHA-ru(1)))*ALPHA];
Zo = [(rl(1)*x(x<rl_i(1))) + rl(2); x(rl_i(1)<=x & x<=ru_i(1))*ALPHA ;ru(1)*x(x>ru_i(1)) + ru(2)]; %initial profile:
Zo=mx+b
h(2) = plot(x, Zo, '-r'); %plot initial profile
xlabel 'Distance Along Profile'; ylabel 'Height';
legend (h, 'Observed Profile', 'Model Profile','Location','SouthEast');
disp(' '); disp('Running diffusion model.....')

```

```

%
%RUN FTCS IMPLICIT SOLVER
S=K*dt/dx^2;
Z = [Zo, zeros(length(Zo), (tfinal/dt))]; %Z matrix for i timesteps
A = (1+2*S)*eye(length(Zo)-2, length(Zo)-2) - S*diag(ones(1,length(Zo)-3), 1) - S*(diag(ones(1,length(Zo)-3), -1));
%Coefficient matrix
for i=1:tfinal/dt;
    b = [Zo(2) + S*z(1); Z(3:end-2,i); Z(end-1,i) + S*z(end)];
    Z(:,i+1) = [z(1); Alb; z(end)];
end

%CALCULATE RMS FIT between model and observed slopes,
% calculated over a 5*dx point moving window
t=0:dt:tfinal; %time array (yrs)
model_slopes = (Z(5:end, :)-Z(1:end-4,:))/(4*dx);
obs_slopes = (z(5:end)-z(1:end-4))/(4*dx);
for i=1:size(model_slopes, 2)
    RMS(i) = sqrt(sum((model_slopes(:,i)- obs_slopes).^2 /length(obs_slopes)));
end
model_Z = Z(:,(RMS==min(RMS(2:end))));% Z values for minimum RMS
model_t = t((RMS==min(RMS(2:end)))); %best model t
%}

%%
%b
% Animate plot %
%set figure size
scrsz = get(0,'ScreenSize');
figm = figure('Position',[1 scrsz(4)*2/3 scrsz(3)*3/4 scrsz(4)*2/3], 'Name','Scarp Diffusion');
xlabel 'Distance (m)'; ylabel 'Elevation';
axis([-10,10,-2,2]); hold on; %axis equal;
h(1) = plot(p(:,1), p(:,2), '-b', 'LineWidth', 3, 'MarkerSize', 15);
h(2) = plot(x,Z(:,1), '--', 'Color', [0.4,0.4,0.4], 'LineWidth', 1.5);
l = legend(h, 'Measured Profile', 'Initial Profile', 'Location', 'NorthWest');
set(l, 'FontSize', 18);
pause(2);

M(1:15) = getframe (figm); m=16;

for i=2:2:size(Z,2)/6
h = plot(x,Z(:,i), '-r', 'LineWidth', 1.5);
tt = text(4,-0.5, ['Time = ', num2str(i*dt*10), ' Years'], 'FontSize', 18);
pause(1)

M(m:m+11) = getframe (figm); m=m+12;
delete(h); delete(tt);
end
plot(x,Z(:,i), '--r', 'LineWidth', 1.5);
plot(x,model_Z, '-k', 'LineWidth', 1.5);
M(m:m+30) = getframe(figm);
%}
%%
%PLOT MODEL SCARP
clf; subplot (2,1,1); hold on
h(1) = plot(p(:,1), p(:,2), 'b'); %plot profile points
h(2) = plot(x, Zo, '-r'); %plot initial profile
h(3) = plot (x, model_Z, '-k'); %plot final Z
axis ([p(1,1), p(end, 1), min(p(:,2))-1, max(p(:,2))+1]);
xlabel 'Distance (m)', ylabel 'Height (m)'; title (filename)
text (x(end)*13/24, (max(p(:,2))+1)*3/4, ['Model Age = ', num2str(model_t/1000), 'Kyr']);

```

```

legend(h, 'Observed Profile', 'Initial Profile', 'Model Profile', 'Location', 'Southeast')

%Calculate morphologic age and plot RMS:
Kt = t.*K;
best_Kt = Kt(RMS==min(RMS(2:end)))
subplot (2,1,2); plot (Kt(2:end), RMS(2:end))
hold on; h= plot(best_Kt, RMS(RMS==min(RMS(2:end))), '.k');
xlabel 'Morphologic Age, KT (m^2)'; ylabel 'RMS'; title(filename);
legend(h, ['Best Kt = ', num2str(best_Kt)]);
disp(['For an K of ', num2str(K), '(m^2/yr) the best modeled age is....'])
disp([num2str(model_t/1000), ' Kyr'])

%Save variables
disp(' ')
q = (input('Save variables as .mat file? (y/n) ', 's'));
if q=='y'
    name = [input('Enter file name: ', 's'), '.mat'];
    save (name)
end

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%%Analytical solution
%center profile
%x_anl = x(:,1)-midpt*2;
%Z_anl = (11)* erf(x/(2*sqrt(D*23000))) + ru(1).*x(:,1);
%figure; hold on;
%h(1) = plot(x, Zo, '-r'); %plot initial profile
%h(2) = plot (x, model_Z, '--b'); %plot final Z
%h(3) = plot(x, Z_anl, '-k')
%h(3) = plot(x_anl+midpt*2, Z_anl+Zo(1), '--k'); %plot anl sol
%slope mid scarp
%dudx = polyfit (x(306/dx:336/dx, 1), x(306/dx:336/dx, 2), 1);
%slope = ~35 deg

```

## Appendix E

### Monte Carlo Simulation

The Monte Carlo Simulation is used to determine uncertainties on the single slip diffusion model.

```
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%
% Christine Regalla %
% last modified %
% 7/22/21 %
% %
% %
% This script will calculate vertical separation, heave, throw, and %
% fault slip from a topographic profile across a fault scarp. This %
% code reads a tab delimited text file of topographic profile data, which %
% must be formatted in two columns of x (distance) and z (elevation) %
% data points. Once text profile is entered, the profile can be saved as %
% a .mat file and reloaded in subsequent runs. Midpoint and regressions %
% through lower and upper surfaces can be chosen graphically or entered %
% numerically (ex. if they are known from field surveys or previous %
% analyses).
%
% This script runs a Monte Carlo Simulation, where uncertainty in fault %
% is determined by iterating this script N times. For each iteration, %
% input script variables are randomly selected from a prescribed parameter %
% space given by the uncertainty in fault dip, midpoint location, and %
% upper and lower surface regressions. The output vertical separation, %
% heave, and throw are reported with most likely values and uncertainty %
% given the range of input values from the collective set of model runs. %
%
% %
% Inputs: %
% filename.txt = tab delimited text file (without formatting) %
% containing x and z data for the topographic scarp profile %
% %
% Outputs: %
% VS = vertical separation, calculated as the difference between the %
% elevation of the projection of upper and lower surfaces at %
% the scarp midpoint %
% %
% ru = slope and intercept of regression through lower surface %
% rl = slope and intercept of regression through upper surface %
% ru_i = intersection point between lower fan surface and scarp face %
% rl_i = intersection point between upper fan surface and scarp face %
% %
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
clear all; close all; %clear all existing variables; close all existing plots
% _____ %
% SET SCRIPT VARIABLES %

FAULTANGLE = 60; %fault angle (degrees) positive (+) faults dips have a slope that is
% positive in x,y, cartesian space; that is the fault plane slopes down to the left
% toward the negative x axis
FAULTUNCERT = 10; % +/- uncertainty (degree) in fault angle
dx = 0.25; % x-interval used to discretize profile (must be less than your data sample interval)

nruns = 100; % # of Monte Carlo Runs
```

```

alpha = .05;    %confidence interval for regression uncertainty (e.g. .05 for 95%...2sigma, or .01 for
99%...3sigma)

```

```

%_____ %

```

```

%Convert FAULTANLGE to dimensionless slope
mf = tan(FAULTANGLE*pi/180);

```

```

% READ IN INPUT TEXT FILE FILENAME.txt

```

```

qq = (input('Import a) raw profile data (.txt)? or b) processed data file (.mat)? (a or b): ', 's'));

```

```

filename = (input('Enter the profile filename, with extension: ', 's'));

```

```

if qq == 'a'

```

```

    p=dlmread(filename);

```

```

    plot (p(:,1), p(:,2), '.b');

```

```

%REVERSE ORIENTATION OF PROFILE IF RIGHT-FACING

```

```

o = (input('Does the scarp face a)left or b)right? (a or b): ', 's'));

```

```

if o=='b'

```

```

    p2= [[p(2:end,1)-p(1:end-1,1);0], p(:,2)];

```

```

    for i=1:size(p,1)

```

```

        p3(i,:) = p2(end-i+1, :);

```

```

    end

```

```

    p2(:,:)=cumsum(p3(:,1)), p3(:,2)];

```

```

    p=p2;

```

```

end

```

```

clf

```

```

%DISCRETIZE PROFILE%

```

```

x=[ceil(p(1,1)):dx:floor(p(end,1))];

```

```

z = interp1(p(:,1), p(:,2), x); %interpolate initial profile over dx

```

```

hold on;

```

```

h(1) = plot (p(:,1), p(:,2), '.b'); h(2) = plot (x,z, '-k');

```

```

xlabel 'Distance Along Profile'; ylabel 'Height';

```

```

legend (h, 'Profile points', 'Interpolated Profile', 'Location','SouthEast');

```

```

%SELECT MIDPOINT AND REGRESS BOUNDING SURFACES

```

```

q = (input('Do you wish to select midpoint and upper, lower surfaces a) graphically or b) by entering numerical
values? (a or b): ', 's'));

```

```

h=1; hu=1; hl= 1;

```

```

%SELECT MIDPOINT%

```

```

a='n';

```

```

while a=='n'

```

```

    if q=='a'

```

```

        disp(' ')

```

```

        disp('Select the midpoint of the profile.  ')

```

```

    %{

```

```

    % workaround text to make the ginput cursur to appear - a bug in old

```

```

    % Matlab version

```

```

    %pcolor (64*rand(100));

```

```

    legend('location','westoutside')

```

```

    legend('hide')

```

```

    %}

```

```

    midpt = ginput(1);

```

```

elseif q=='b'

```

```

    midpt = input('Enter midpoint: [x,z] ');

```

```

end

```

```

d = sqrt((x-midpt(1)).^2 + (z-midpt(2)).^2);

```

```

midpt = [x(d==min(d)), z(d==min(d))];
temppoint = plot(midpt(1), midpt(2), 'or');
disp(' '); a=input('Would you like to keep the current midpt? (y/n) ', 's');
if a=='n'
    delete(temppoint)
end
end

%SELECT LOWER AND UPPER REGRESSION SURFACES%
a='n';
while a=='n'
    if q=='a'
        disp(' ')
        disp('Select range of points to use for lower surface regression, from left to right. ');
        rl_range = ginput(2);
    elseif q=='b'
        rl_range = input('Enter bounding points on lower surface: [left_x, left_z; right_x, right_z] ');
    end
    %delete (hl);
    d = sqrt((x-rl_range(1,1)).^2 + (z-rl_range(1,2)).^2);
    ind = find (d==min(d));
    d = sqrt((x-rl_range(2,1)).^2 + (z-rl_range(2,2)).^2);
    ind(2) = find (d==min(d));
    rl = polyfit(x(ind(1):ind(2)), z(ind(1):ind(2)), 1);

    hl = refline(rl);
    disp(' '); a=input('Would you like to keep the regression? (y/n) ', 's');
    if a=='n'
        delete(hl)
    end
end
rl_range = [x(ind(1):ind(2)), z(ind(1):ind(2))];

a='n';
while a=='n'
    if q=='a'
        disp(' ')
        disp('Select range of points to use for upper surface regression, from left to right. ');
        ru_range = ginput(2);
    elseif q=='b'
        ru_range = input('Enter bounding points on upper surface: [left_x, left_z; right_x, right_z] ');
    end
    d = sqrt((x-ru_range(1,1)).^2 + (z-ru_range(1,2)).^2);
    ind = find (d==min(d));
    d = sqrt((x-ru_range(2,1)).^2 + (z-ru_range(2,2)).^2);
    ind(2) = find (d==min(d));
    ru = polyfit(x(ind(1):ind(2)), z(ind(1):ind(2)), 1);

    hu = refline(ru);
    disp(' '); a=input('Would you like to keep the regression? (y/n) ', 's');
    if a=='n'
        delete(hu)
    end
end
ru_range = [x(ind(1):ind(2)), z(ind(1):ind(2))];

%SELECT RANGE OF COORDINATES WHERE FAULT PLANE MAY INTERSECT SCARP FACE%
a='n';
while a=='n'

```

```

if q=='a'
    disp(' ')
    disp('Select range of points that bound the possible intersection of the fault plane with the scarp face, from
left to right. ')
    rf_range = ginput(2);
elseif q=='b'
    rf_range = input('Enter bounding points on scarpface: [left_x, left_z; right_x, right_z] ');
end
d = sqrt((x-rf_range(1,1)).^2 + (z-rf_range(1,2)).^2);
ind = find (d==min(d));
d = sqrt((x-rf_range(2,1)).^2 + (z-rf_range(2,2)).^2);
ind(2) = find (d==min(d));
rfs = polyfit(x(ind(1):ind(2)), z(ind(1):ind(2)), 1);

rf_range = [x(ind(1):ind(2)), z(ind(1):ind(2))];

hf = plot(rf_range(:,1), rf_range(:,2), '-r', 'LineWidth', 2);
disp(' '); a=input('Would you like to keep this range? (y/n) ', 's');
if a=='n'
    delete(hf)
    clear rf_range
end
end
end

```

```
%CENTER PROFILE
```

```
x=x-midpt(1); z = z-midpt(2);
```

```

rl_range(:,1) = rl_range(:,1) - midpt(1); rl_range(:,2) = rl_range(:,2) - midpt(2);
ru_range(:,1) = ru_range(:,1) - midpt(1); ru_range(:,2) = ru_range(:,2) - midpt(2);
rf_range(:,1) = rf_range(:,1) - midpt(1); rf_range(:,2) = rf_range(:,2) - midpt(2);

```

```

% Recalc y=mx+b for Upper surface
x1 = ru_range(:,1); z1 = ru_range(:,2);
X1 = [ones(size(x1)) x1];
[temp temp_int] = regress(z1,X1);
ru(1)=temp(2); ru(2) = temp(1);
ru_int(1,:) = temp_int(2,:); ru_int(2,:) = temp_int(1,:);

```

```

% Recalc y=mx+b for Lower surface
x1 = rl_range(:,1); z1 = rl_range(:,2);
X1 = [ones(size(x1)) x1];
[temp temp_int] = regress(z1,X1);
rl(1)=temp(2); rl(2) = temp(1);
rl_int(1,:) = temp_int(2,:); rl_int(2,:) = temp_int(1,:);

```

```

% Recalc y=mx+b for Fault scarp face:
x1 = rf_range(:,1); z1 = rf_range(:,2);
X1 = [ones(size(x1)) x1];
[temp temp_int] = regress(z1,X1);
rfs(1)=temp(2); rfs(2) = temp(1);

```

```
% PLOT SCARP
```

```

clear h
p(:,1) = p(:,1) - midpt(1);
p(:,2) = p(:,2) - midpt(2);
clf; hold on;
h(1) = plot (x,z, '-k', 'LineWidth', 2); h(2) = refline(ru); refline(rl);

```

```

xlabel ('Distance (m)')
ylabel ('Elevation (m)')

%
% Plot confidence intervals on upper surface:
% http://www.real-statistics.com/regression/confidence-and-prediction-intervals/
zhat = ru(2)+ru(1)*x; %calculate z values for regression line
t = tinvt(1-alpha/2,(length(x)-2)); %t value of distribution
z_avg = mean(z); x_avg = mean(x);
SX = sum((x-x_avg).^2); SY = sum((z-z_avg).^2);
SXSX = sum((x-x_avg).*(z-z_avg)).^2;
syx = sqrt((1/(length(x)-2))*(SY-(SXSX/SX))); %std error in estimate ... Syx ... primary equation to solve
CI = t*syx*sqrt(1/(length(x))+(x(:)-x_avg).^2/SX); % Calculate Confidence interval
%calculate upper and lower confidence curves (linear)
z_plus_CI = zhat + CI;
z_minus_CI = zhat - CI;
%plot confidence intervals
plot(x,z_plus_CI,'r-');
plot(x,z_minus_CI,'r-');

% Plot confidence intervals on upper surface:
% http://www.real-statistics.com/regression/confidence-and-prediction-intervals/

zhat = rl(2)+rl(1)*x; %calculate z values for regression line
t = tinvt(1-alpha/2,(length(x)-2)); %t value of distribution
z_avg = mean(z); x_avg = mean(x);
SX = sum((x-x_avg).^2); SY = sum((z-z_avg).^2);
SXSX = sum((x-x_avg).*(z-z_avg)).^2;
syx = sqrt((1/(length(x)-2))*(SY-(SXSX/SX))); %std error in estimate ... Syx ... primary equation to solve
CI = t*syx*sqrt(1/(length(x))+(x(:)-x_avg).^2/SX); % Calculate Confidence interval
%calculate upper and lower confidence curves (linear)
z_plus_CI = zhat + CI;
z_minus_CI = zhat - CI;
%plot confidence intervals
h(3) = plot(x,z_plus_CI,'r-');
plot(x,z_minus_CI,'r-');

%}

%% Save
disp(' ')
q = (input('Save processed profile as .mat file? (y/n) ', 's'));
if q=='y'
    name = [input('Enter file name: ', 's'), '.mat'];
    save (name)
end

% LOAD MAT FILE
% Load profile from Matlab variables if you are not loading a text file
elseif qq=='b'
    load (filename)
    clf; hold on; h(1) = plot (x,z, '-k', 'LineWidth', 2); h(2) = reffline(ru); reffline(rl);
    %plot confidence intervals
    h(3) = plot(x,z_plus_CI,'r-');
    plot(x,z_minus_CI,'r-');
    xlabel ('Distance (m)'); ylabel ('Elevation (m)')

end

```

```

%% MONTE CARO SIMULATION TO CALCULATE VERTICAL SEPARATION, SLIP, HEAVE, THROW

% Equation for upper surface is:  $y = \mu x + bu$ 
% Equation for lower surface is:  $y = m l x + bl$ 
% Equation for fault plane is:  $y = m f x + b f$ 
% Equation for the plane regressed through the scarp face is:
%  $y = r f(1) x + r f(2)$ 

% where:
%  $\mu$  = slope of upper surface; ru(1)
%  $bu$  = y-int of upper surface; ru(2)
%  $m l$  = slope of lower surface; rl(1)
%  $bl$  = y-int of lower surface; rl(2)
%  $m f$  = slope of fault plane (= tan(FAULTANGLE))
%  $b f$  = y-int of fault plane (right now it is 0)

% therefore:  $x = ((bu-bf)/(mf-\mu))$ ;
% and:  $y = mf * ((bu-bf)/(mf-\mu)) + bf$ ;

for i=1:nruns

% 1) Randomly generate fault angles
F = (FAULTANGLE-FAULTUNCERT) + rand(1) * (2*FAULTUNCERT);
FAULTANGLES(i) = F;
mf = tan(F.*pi/180);

% 2) Randomly generate a y-intercept for fault plane (given input range of coordiantes where fault can intersect the
fault scarp)
% a) select point on scarp face where fault can intersect (choose an x value, fsx)
fsx = rf_range(1,1) + rand(1)*(rf_range(end,1)-rf_range(1,1));
% b) solve for the y -coordinate on the scarp face regression, using rf = (mf, bf);
fsy = rfs(1)*fsx+rfs(2);
%plot (fsx, fsy, '.r', 'MarkerSize', 30);
% c) use point slope formula to calculate y-int for the fault plane, yield bf
%  $y - y_f = m f (x - x_f)$ 
%  $y = m f x + (-m f x_f + f_s y)$ 
% so  $b = f_s y - m f x_f$ 
bf = fsy - mf*fsx;

% plot "fault"
dy = 10; %'depth" to which fault will be plotted
h(4) = plot([fsx, fsx-((dy)/(mf))], [fsy, fsy-dy], '--k');

% 3) Randomly generate a regression line for upper surface

%R = normrnd(mu,sigma)
RU(1) = normrnd(ru(1), ((ru_int(1,2) - ru_int(1,1))/2));
RU(2) = normrnd(ru(2), ((ru_int(2,2) - ru_int(2,1))/2));
RUS(i,:) = RU;

% 4) Randomly generate a regression line for lower surface

RL(1) = normrnd(rl(1), ((rl_int(1,2) - rl_int(1,1))/2));
RL(2) = normrnd(rl(2), ((rl_int(2,2) - rl_int(2,1))/2));
RLS(i,:) = RL;

```

```

% CALCULATE INTERSECTION BETWEEN FAULT PLANE AND UPPER / LOWER SURFACES
% P1 = intersection (x,y) of upper surface and fault plane
P1 = [(RU(2)-bf)/(mf-RU(1)); ((RU(2)-bf)/(mf-RU(1)))*(mf)+bf];
% P2 = intersection (x,y) of lower surface and fault plane
P2 = [(RL(2)-bf)/(mf-RL(1)); ((RL(2)-bf)/(mf-RL(1)))*(mf)+bf];

% Where:
% RU = a vector that contains the slope and intercept of the upper
% surface regression line
% RL = a vector that contains the slope and intercept of the lower
% surface regression line

% CALCULATE THE INTERSECTION BETWEEN THE REGRESSION THROUGH THE FAULT
% SCARP FACE AND THE UPPER / LOWER SURFACES
% PA = intersection (x,y) of upper surface and scarp face
PA = [(RU(2)-rfs(2))/((rfs(1))-RU(1)); (RU(2)-rfs(2))/(rfs(1)-RU(1))*rfs(1)+rfs(2)];
% PB = intersection (x,y) of lower surface and scarp face
PB = [(RL(2)-rfs(2))/((rfs(1))-RL(1)); (RL(2)-rfs(2))/(rfs(1)-RL(1))*rfs(1)+rfs(2)];

% CALCULATE VERTICAL SEPARATION
% VS is therefore the difference in z values between where a vertical line
% through the intersection point of the fault and the scarp face (fsx, fsy),
% intersects the upper and lower surfaces. this is the difference between
% y(fsx) for the upper and lower surfaces

VS(i) = (RU(1)*fsx+RU(2))-(RL(1)*fsx+RL(2));

% Plot line along which vertical separation is measured
h(5) = plot([fsx,fsx], [(RU(1)*fsx+RU(2)), (RL(1)*fsx+RL(2))], '-r');

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%CALCULATE DIP SLIP ALONG FAULT %
fault_slip(i) = sqrt((P2(1,:)-P1(1,:)).^2 + (P2(2, :)-P1(2, :)).^2);
%plot slip vector
% plot([P2(1), P1(1)],[P2(2), P1(2)], '-g' );
%
% CALCULATE HEAVE AND THROW
%Heave = the difference between the x vlaues of the points of
%intersection between the fault plane and the upper/ lower surfaces
Heave(i) = abs(P1(1))+abs(P2(1));

%Throw = the difference between the y vlaues of the points of
%intersection between the fault plane and the upper/ lower surfaces
Throw(i) = abs(P1(2))+abs(P2(2));
%}

end

ave_vert_sep = mean(VS)
stdev_vert_sep = std(VS)
ave_slip = mean(fault_slip)
stdev_slip = std(fault_slip)
ave_heave = mean(Heave)
stdev_heave = std(Heave)
ave_throw = mean(Throw)
stdev_throw = std(Throw)

```

```
plotlegend = legend([h], 'Topo Profile', 'Surface Regressions', '95% Regression CI',...  
    'Fault Plane', 'Vertical Separation', 'Location', 'Northeast');
```

```
%%  
%Save variables  
disp(' ')  
q = (input('Save variables as .mat file, and plot as .fig? (y/n) ', 's'));  
if q=='y'  
    corename = input('Enter file name: ', 's');  
    name = [corename, '.mat'];  
    save (name)  
    save (name, 'midpt', 'p', 'x', 'z', 'rl_range', 'rl', 'ru_range', 'ru', 'rfs', 'rf_range',...  
        'FAULTANGLES', 'VS', 'ave_vert_sep', 'stdtev_vert_sep', 'ave_slip', 'stdtev_slip', 'fault_slip',...  
        'Heave', 'ave_heave', 'stdtev_heave', 'Throw', 'ave_throw', 'stdtev_throw');  
    title(corename); saveas(gcf, corename);  
end
```

## Appendix F

### CRONUS-Earth Online Calculator

CRONUS-Earth erosion rate calculator website:

[https://hess.ess.washington.edu/math/v3/v3\\_erosion\\_in.html](https://hess.ess.washington.edu/math/v3/v3_erosion_in.html)

Inputs to the CRONUS-Online calculator are described in:

[http://hess.ess.washington.edu/math/docs/v3/v3\\_input\\_explained.html](http://hess.ess.washington.edu/math/docs/v3/v3_input_explained.html)

Below is an example of the input tab delimited .txt file. This data can be typed into the data entry block to calculate erosion rates of each sample. Details of each input are explained in the above link.

```
Sample-1 44.406178 -115.176387 1911 std 0.05 2.65 0.963216426 0.00001 2023;
Sample-1 Be-10 quartz 1.406E+05 3.328E+03 07KNSTD;
Sample-2 44.236675 -114.997099 1930 std 0.05 2.65 0.970042475 0.00001 2023;
Sample-2 Be-10 quartz 6.451E+04 1.601E+03 07KNSTD;
Sample-3 44.108407 -114.860527 2004 std 0.05 2.65 0.985922152 0.00001 2023;
Sample-3 Be-10 quartz 2.043E+05 5.217E+03 07KNSTD;
Sample-4 44.080934 -114.869923 2020 std 0.05 2.65 0.99383122 0.00001 2023;
Sample-4 Be-10 quartz 2.173E+05 5.139E+03 07KNSTD;
Sample-5 43.870612 -114.652866 2225 std 0.05 2.65 0.965696154 0.00001 2023;
Sample-5 Be-10 quartz 2.899E+05 7.404E+03 07KNSTD;
Sample-6 43.787477 -114.568642 2051 std 0.05 2.65 0.987193726 0.00001 2023;
Sample-6 Be-10 quartz 3.103E+05 9.703E+03 07KNSTD;
Sample-7 43.782433 -114.503008 2003 std 0.05 2.65 0.948158503 0.00001 2023;
Sample-7 Be-10 quartz 1.459E+05 3.804E+03 07KNSTD;
```

First Line: Sample name, latitude, longitude, elevation, elevation handling flag, sample thickness, density, topographic shielding correction, erosion rate (number does not matter as a new one will be calculated), date of collection and a semicolon.

Second Line: Sample name, nuclide-mineral pair, [<sup>10</sup>Be], [<sup>10</sup>Be] uncertainty, Be-10 standardization and a semicolon.